

# MA 11.1: Imaging topological defects in a non-collinear antiferromagnet

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UNIVERSITÉ  
DE MONTPELLIER



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slides available at <https://magimag.eu>

# Acknowledgments

## **L2C, Montpellier**

Angela Haykal, Pawan Kumar, Vincent Jacques

## **UMR CNRS/Thales, Palaiseau**

Pauline Dufour, Vincent Garcia, Stéphane Fusil

## **SPEC, CEA Gif-sur-Yvette**

Anne Forget, Dorothée Colson, Jean-Yves Chauleau, Michel Viret

## **Synchrotron Soleil**

Nicolas Jaouen



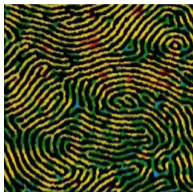
**European Research Council**

Established by the European Commission



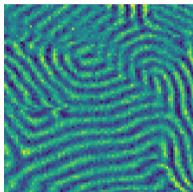
# Universal patterns in lamellar systems

**Block copolymer**  
Period 40 nm



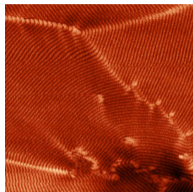
 T. A. Witten. *Phys. Today* 43 (1990), 21

**BiFeO<sub>3</sub> magnetic cycloid**  
Period 64 nm



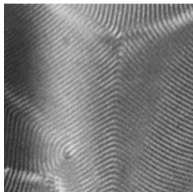
 A. Finco et al. *Phys. Rev. Lett.* 128 (2022), 187201

**FeGe magnetic helix**  
Period 70 nm



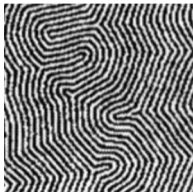
 P. Schönherr et al. *Nat. Phys.* 14 (2018), 465

**Liquid crystals**  
Period 800 nm



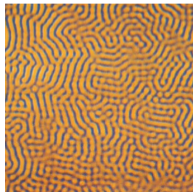
 Y. Bouligand. *Dislocations in solids* (1983), Chap. 23

**Ferrimagnetic garnet**  
Period 8  $\mu\text{m}$



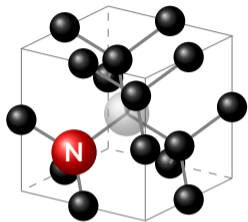
 M. Seul et al. *Phys. Rev. A* 46 (1992), 7519

**Fluid diffusion**  
Period 250  $\mu\text{m}$



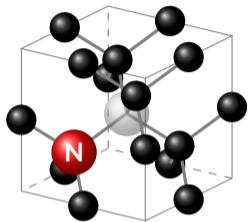
 Q. Ouyang et al. *Chaos* 1 (1991), 411

# NV centers for magnetic imaging



Defect in diamond

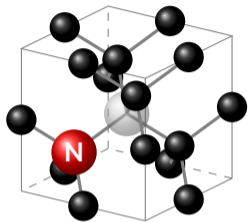
# NV centers for magnetic imaging



Defect in diamond

- Optical manipulation and reading
- Ambient conditions

# NV centers for magnetic imaging



Defect in diamond

- Optical manipulation and reading
- Ambient conditions

Spin-dependent  
fluorescence

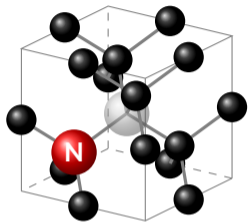
dark  $|\pm 1\rangle$

2.87 GHz

bright  $|0\rangle$

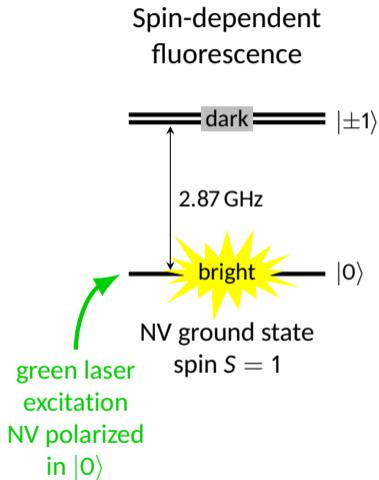
NV ground state  
spin  $S = 1$

# NV centers for magnetic imaging

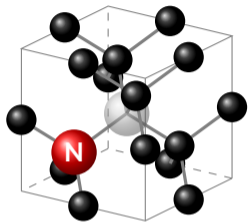


Defect in diamond

- Optical manipulation and reading
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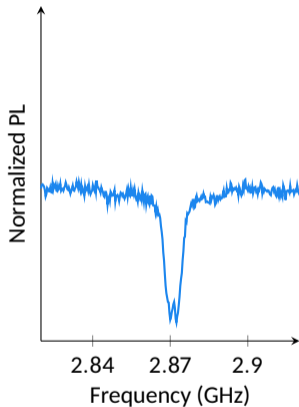
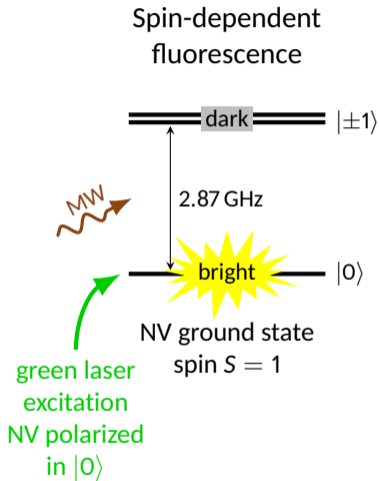


# NV centers for magnetic imaging



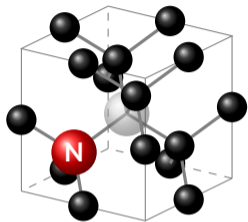
Defect in diamond

- Optical manipulation and reading
- Ambient conditions



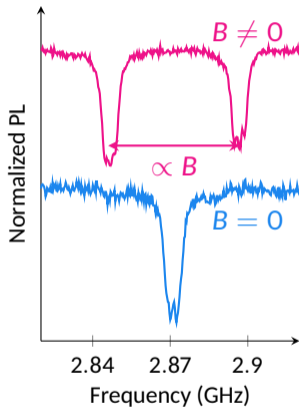
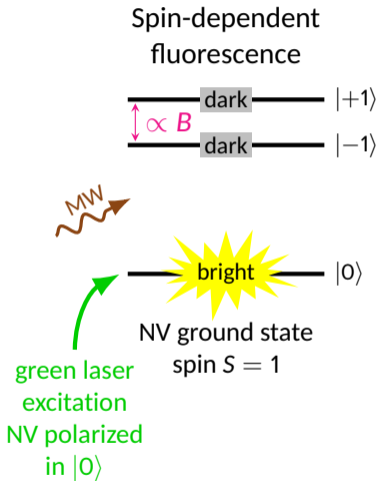


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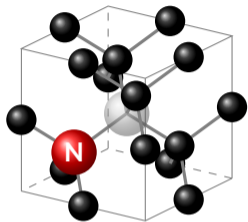


Defect in diamond

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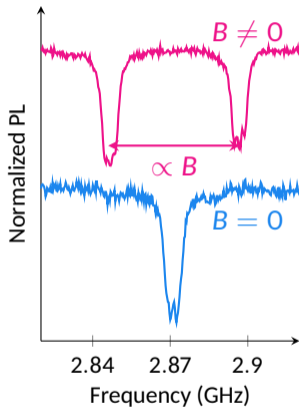
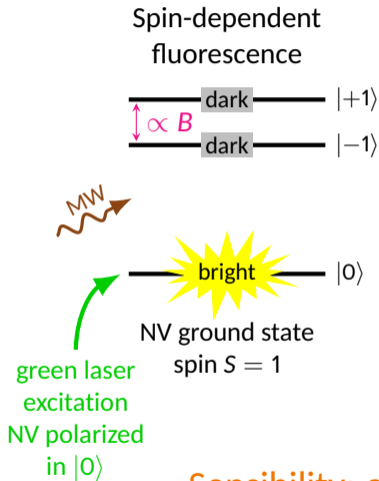


# NV centers for magnetic imaging



Defect in diamond

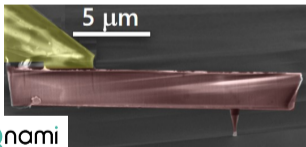
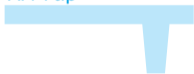
- Optical manipulation and reading
- Ambient conditions



Sensitivity: a few  $\mu\text{T}/\sqrt{\text{Hz}}$

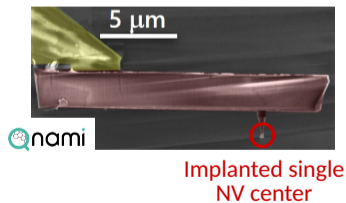
# The scanning NV microscope setup

Diamond  
AFM tip



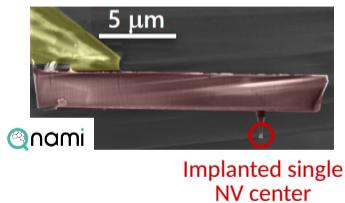
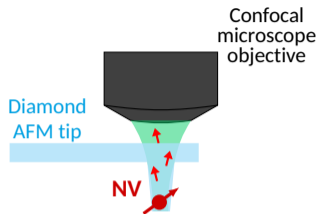
 P. Maletinsky *et al.* *Nat. Nano.* 7 (2012), 320

# The scanning NV microscope setup



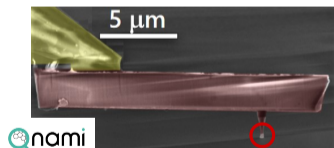
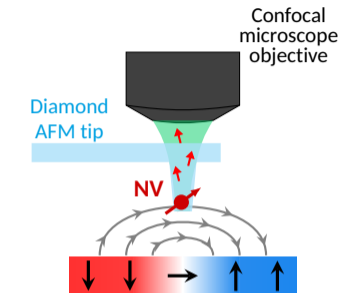
 P. Maletinsky et al. *Nat. Nano.* 7 (2012), 320

# The scanning NV microscope setup



 P. Maletinsky et al. *Nat. Nano.* 7 (2012), 320

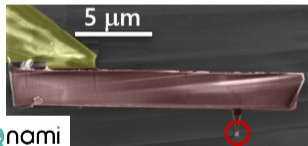
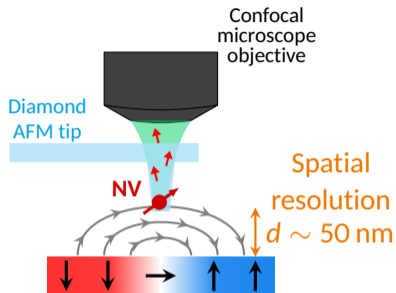
# The scanning NV microscope setup



Implanted single  
NV center

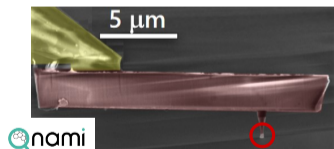
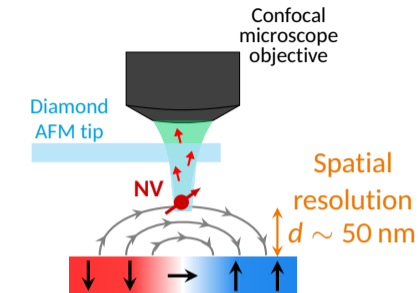
 P. Maletinsky et al. *Nat. Nano.* 7 (2012), 320

# The scanning NV microscope setup

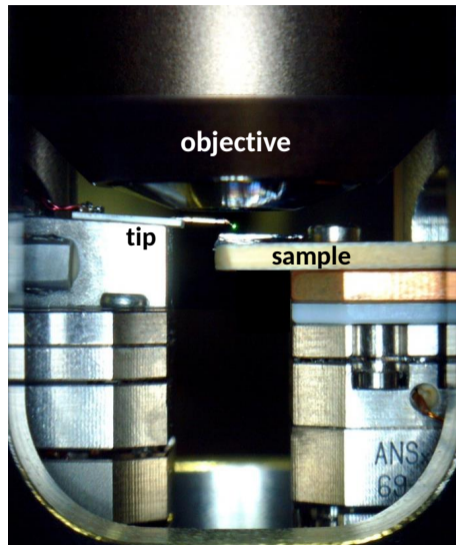


Implanted single NV center

# The scanning NV microscope setup



Implanted single NV center



P. Maletinsky et al. *Nat. Nano.* 7 (2012), 320



# Application to nanoscale magnetic texture imaging

Quantitative

Non-perturbative

Highly sensitive

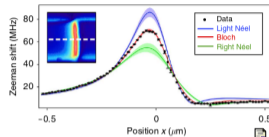
# Application to nanoscale magnetic texture imaging

Quantitative

Non-perturbative

Highly sensitive

## Determination of domain wall chirality



J.-P. Tetienne et al. *Nat Commun.* 6 (2015), 6733

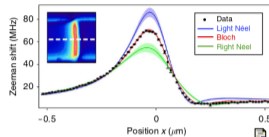
# Application to nanoscale magnetic texture imaging

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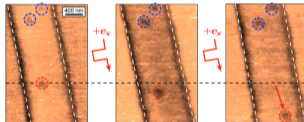
Highly sensitive

## Determination of domain wall chirality



J.-P. Tetienne et al. *Nat Commun.* 6 (2015), 6733

## Imaging of current-induced skyrmion movement



W. Akhtar et al. *Phys. Rev. Appl.* 11 (2019), 034066

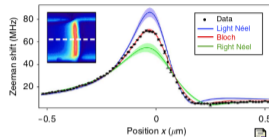
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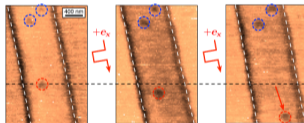
Highly sensitive

## Determination of domain wall chirality



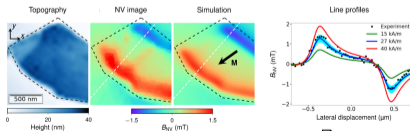
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## Quantitative characterization of 2D ferromagnets



F. Fabre et al. *Phys. Rev. Mat.* 5 (2021), 034008

# Application to nanoscale magnetic texture imaging

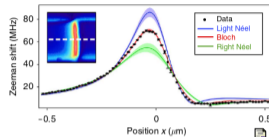
Quantitative

Non-perturbative

Highly sensitive

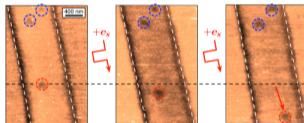
Great tool to  
image antiferromagnets!

## Determination of domain wall chirality



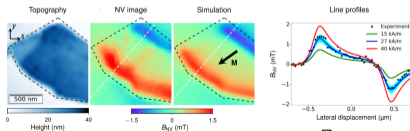
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## Imaging of current-induced skyrmion movement



W. Akhtar et al. *Phys. Rev. Appl.* 11 (2019), 034066

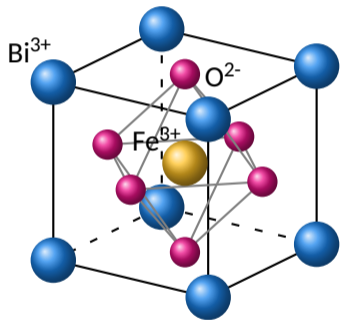
## Quantitative characterization of 2D ferromagnets



F. Fabre et al. *Phys. Rev. Mat.* 5 (2021), 034008

# Bismuth ferrite, a room-temperature multiferroic

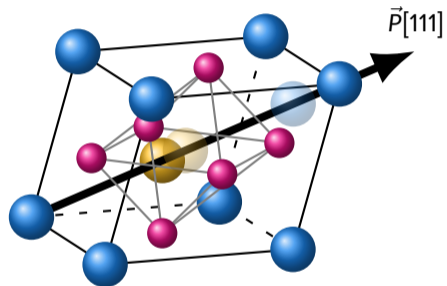
Electric polarization



**Paraelectric phase ( $T > 1100$  K)**

# Bismuth ferrite, a room-temperature multiferroic

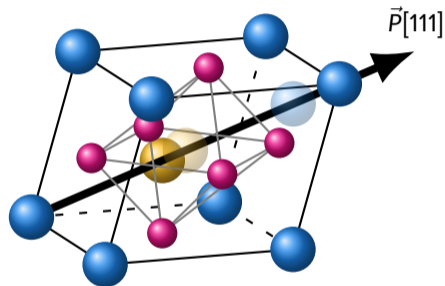
Electric polarization



**Ferroelectric phase ( $T < 1100$  K)**

# Bismuth ferrite, a room-temperature multiferroic

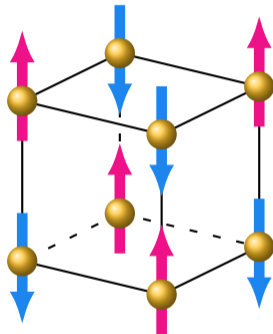
Electric polarization



**Ferroelectric phase ( $T < 1100$  K)**

 G. Catalan *et al.* *Adv. Mater.* 21 (2009), 2463–2485

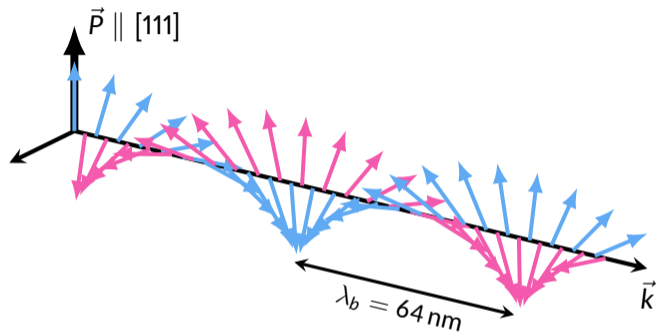
Magnetism



**G-type antiferromagnetic phase ( $T_N = 643$  K)**



# The effects of magnetoelectric coupling in $\text{BiFeO}_3$

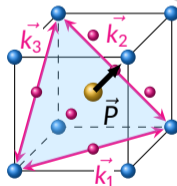
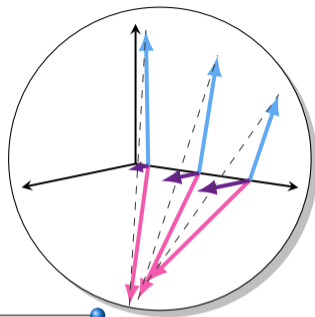
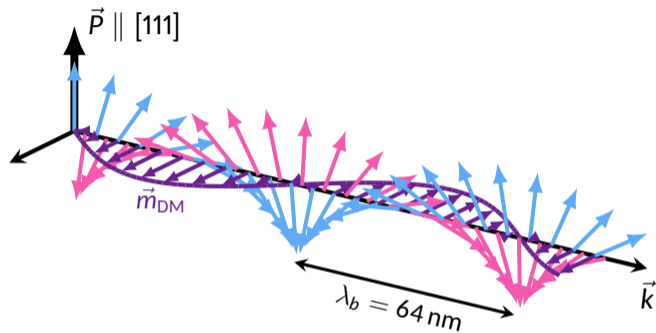


Fully compensated cycloid

→ **No stray field!**



# The effects of magnetoelectric coupling in BiFeO<sub>3</sub>

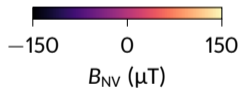
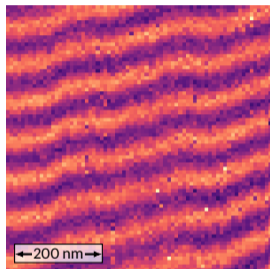


Spin density wave  
Weak uncompensated moment  
→ **Small stray field**

# Quantitative analysis of the cycloid in bulk single crystal

Collaborations: UMR CNRS/Thales, Palaiseau (V. Garcia, S. Fusil)

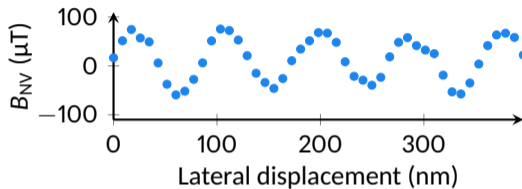
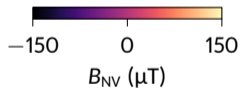
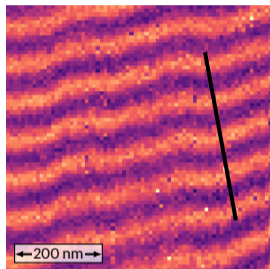
CEA SPEC, Gif-sur-Yvette (J.-Y. Chauleau, M. Viret)



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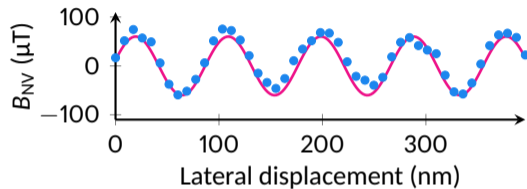
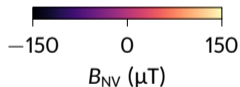
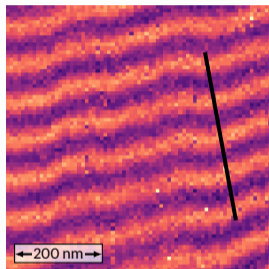
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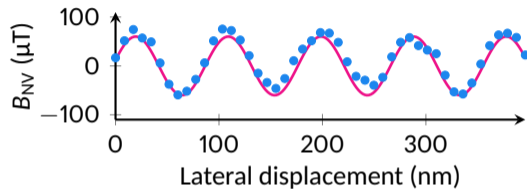
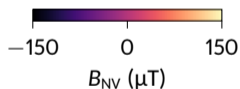
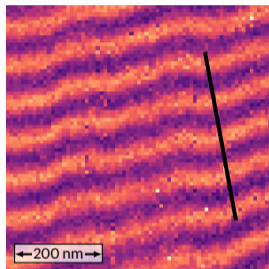


$$\begin{cases} B_x = 0 \\ B_y = -\frac{A}{\sqrt{2}} (\text{Re}\{S\} - \text{Im}\{S\}) \\ B_z = \sqrt{2} A \text{Re}\{S\} \end{cases} \quad \text{with} \quad \begin{cases} A = \frac{\mu_0 m_{\text{DM}}}{\sqrt{3} a^3} \sinh\left(\frac{ka}{2\sqrt{2}}\right) \\ S = e^{-kz/\sqrt{2}} e^{ik(y-z)/\sqrt{2}} \frac{1 - e^{-kt(1+i)/\sqrt{2}}}{1 - e^{-ka(1+i)/\sqrt{2}}} \end{cases}$$

# Quantitative analysis of the cycloid in bulk single crystal

Collaborations: UMR CNRS/Thales, Palaiseau (V. Garcia, S. Fusil)

CEA SPEC, Gif-sur-Yvette (J.-Y. Chauleau, M. Viret)

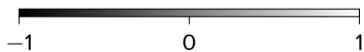
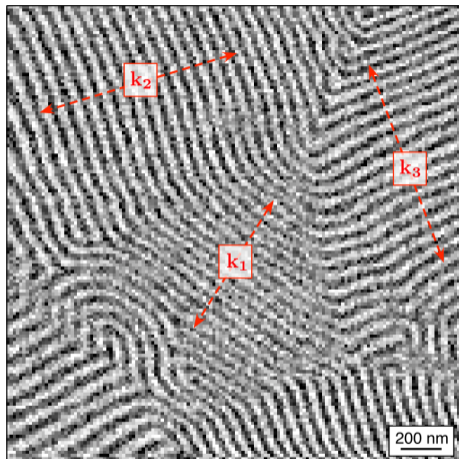


$$m_{\text{DM}} = 0.09 \pm 0.03 \mu_{\text{B}}$$

□ M. Ramazanoglu et al. *Phys. Rev. Lett.* 107 (2011), 207206

$$\begin{cases} B_x = 0 \\ B_y = -\frac{A}{\sqrt{2}} (\text{Re}\{S\} - \text{Im}\{S\}) \\ B_z = \sqrt{2} A \text{Re}\{S\} \end{cases} \quad \text{with} \quad \begin{cases} A = \frac{\mu_0 m_{\text{DM}}}{\sqrt{3} a^3} \sinh\left(\frac{ka}{2\sqrt{2}}\right) \\ S = e^{-kz/\sqrt{2}} e^{ik(y-z)/\sqrt{2}} \frac{1 - e^{-kt(1+i)/\sqrt{2}}}{1 - e^{-ka(1+i)/\sqrt{2}}} \end{cases}$$

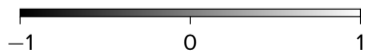
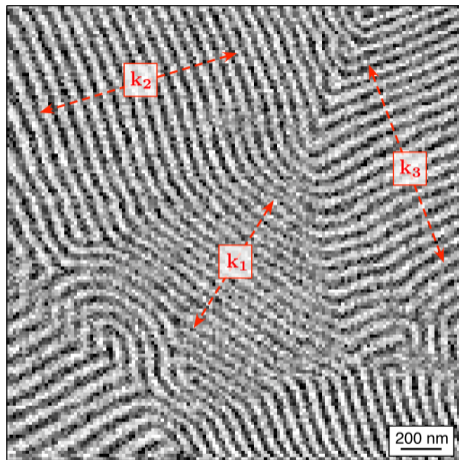
# Rotation of the cycloid propagation direction measured in real space...



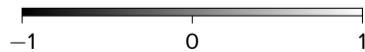
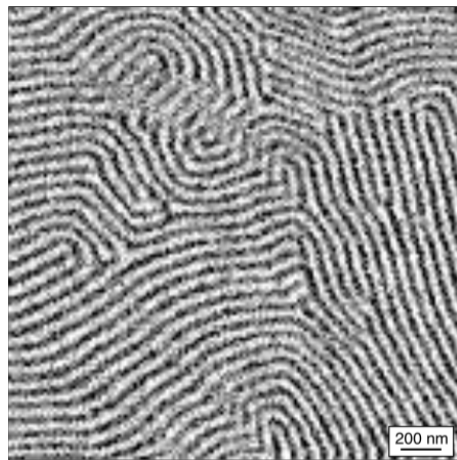
iso-B signal



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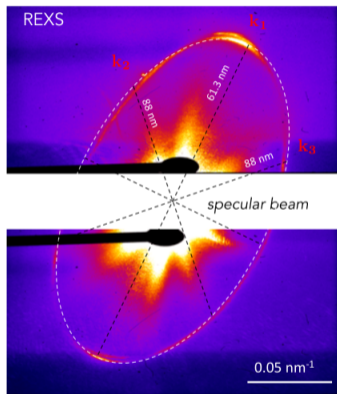
iso-B signal



iso-B signal

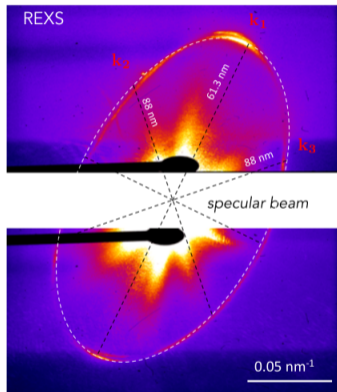
# ... and in reciprocal space

## Resonant X-ray scattering

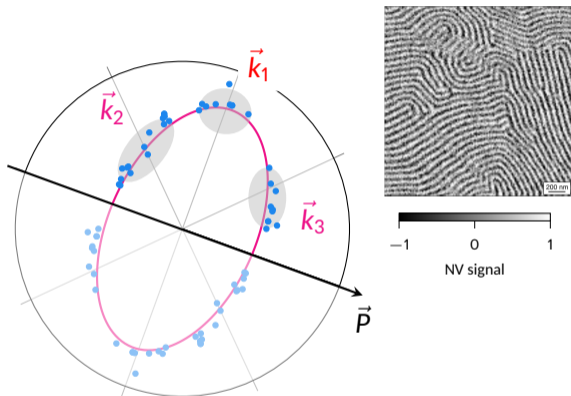


# ... and in reciprocal space

Resonant X-ray scattering

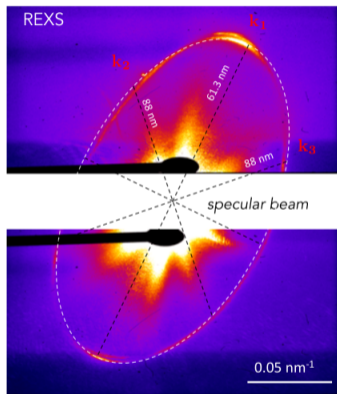


Polar plot of  $\frac{2\pi}{\lambda}$  vs  $\vec{k}$  direction

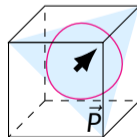
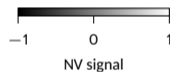
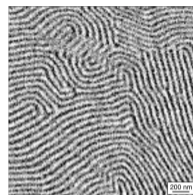
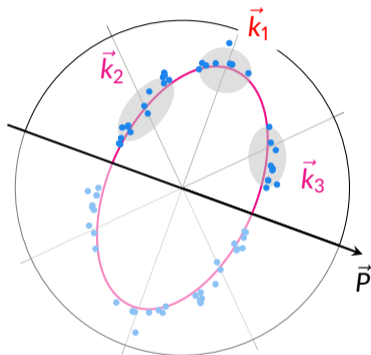


# ... and in reciprocal space

## Resonant X-ray scattering

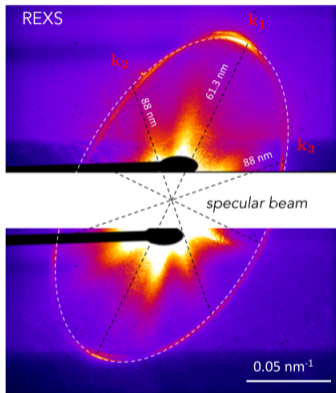


Polar plot of  $\frac{2\pi}{\lambda}$  vs  $\vec{k}$  direction

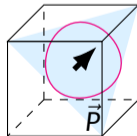
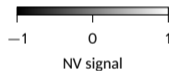
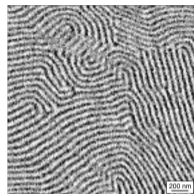
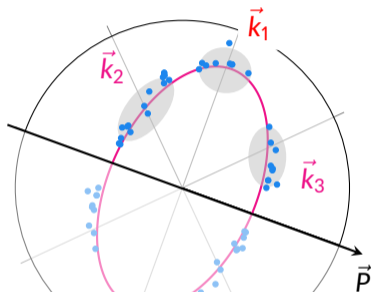


# ... and in reciprocal space

Resonant X-ray scattering



Polar plot of  $\frac{2\pi}{\lambda}$  vs  $\vec{k}$  direction

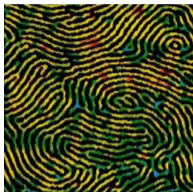


Surface effect? Only  $\vec{k}_1$  seen by neutrons

 D. Lebeugle et al. *Phys. Rev. Lett.* 100 (2008), 227602

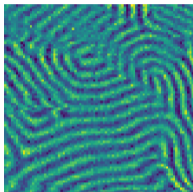
# Universal patterns in lamellar systems

**Block copolymer**  
Period 40 nm



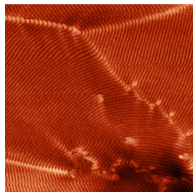
 T. A. Witten. *Phys. Today* 43 (1990), 21

**BiFeO<sub>3</sub> magnetic cycloid**  
Period 64 nm



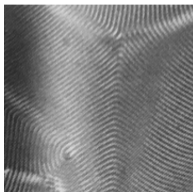
 A. Finco et al. *Phys. Rev. Lett.* 128 (2022), 187201

**FeGe magnetic helix**  
Period 70 nm



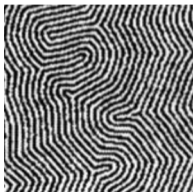
 P. Schönherr et al. *Nat. Phys.* 14 (2018), 465

**Liquid crystals**  
Period 800 nm



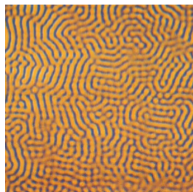
 Y. Bouligand. *Dislocations in solids* (1983), Chap. 23

**Ferrimagnetic garnet**  
Period 8  $\mu\text{m}$



 M. Seul et al. *Phys. Rev. A* 46 (1992), 7519

**Fluid diffusion**  
Period 250  $\mu\text{m}$



 Q. Ouyang et al. *Chaos* 1 (1991), 411

# Topological defects in lamellar systems

General ordered medium

Order parameter

non-uniform, smoothly  
varying in space

# Topological defects in lamellar systems

General ordered medium

Order parameter

non-uniform, smoothly  
varying in space



Lamellar system

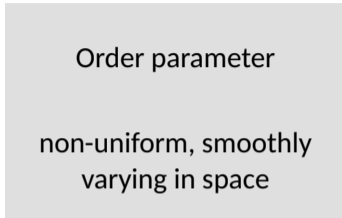
Wavevector  $\vec{k}$  of  
the periodic modulation

with a rotating direction

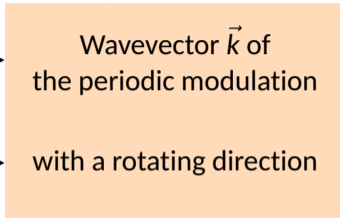


# Topological defects in lamellar systems

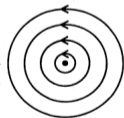
General ordered medium



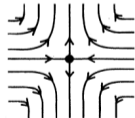
Lamellar system



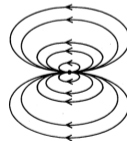
except at **singular regions of lower dimensionality** → **topological defects**



disclination  
winding number = 1

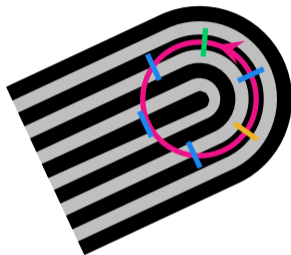
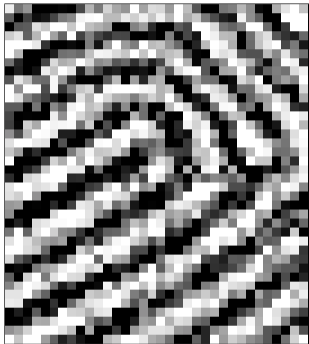


disclination  
winding number = -1



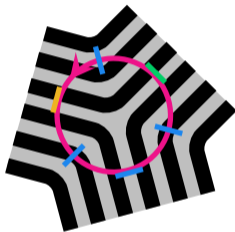
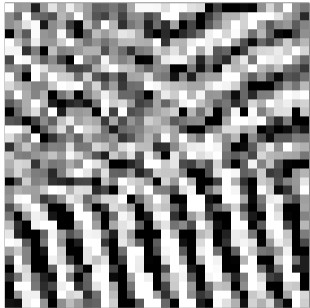
disclination  
winding number = 2

# $+\pi$ -disclination



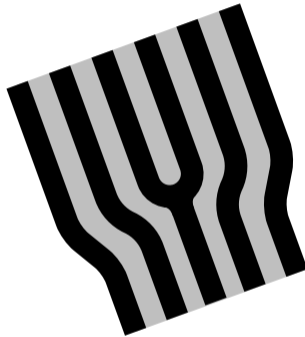
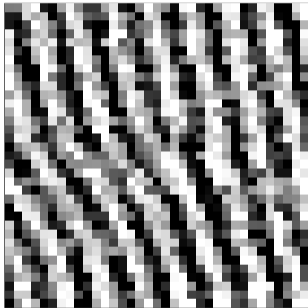
winding number  $+1/2$

# $-\pi$ -disclination



winding number  $-1/2$

# Edge dislocation

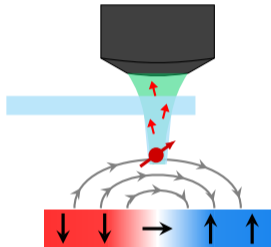


Combination of  
 $+\pi$ - and  $-\pi$ -disclinations

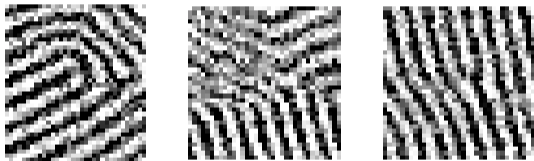
winding number 0

# Summary

## NV center magnetometry



## Topological defects in multiferroic $\text{BiFeO}_3$



- highly sensitive
- nanoscale
- quantitative
- non-perturbative

Towards electric control?

 A. Finco *et al.* *Phys. Rev. Lett.* 128 (2022), 187201

# The team S2QT in Montpellier



We are looking for students and postdocs!