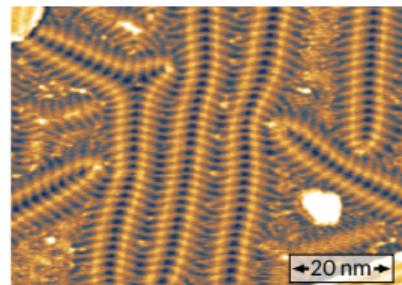
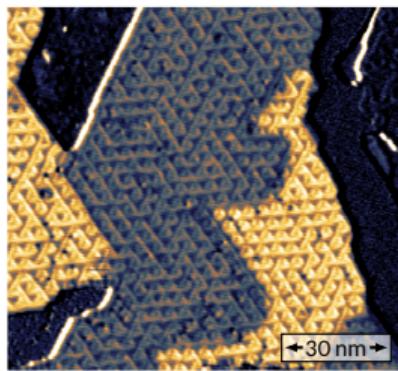
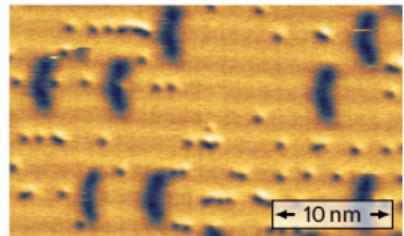
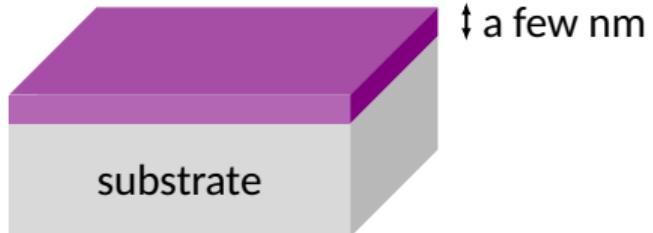


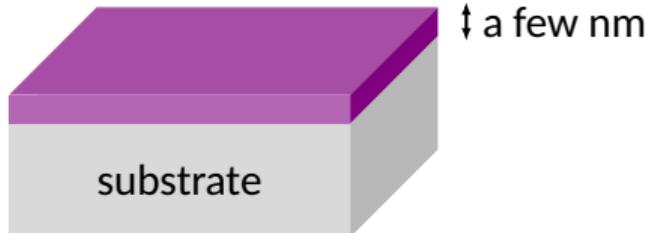
Interplay between non-collinear magnetism and nanoscale structural properties in epitaxial Fe-based ultrathin films



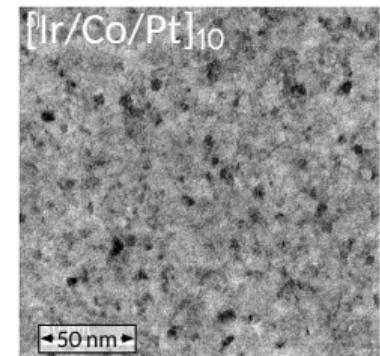
Magnetic ultrathin films



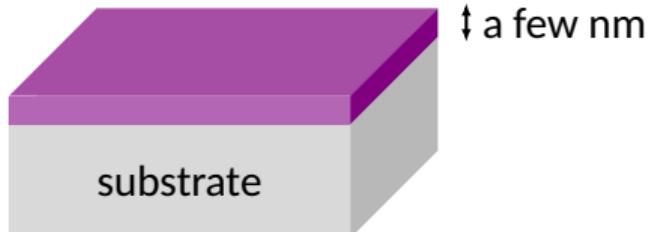
Magnetic ultrathin films



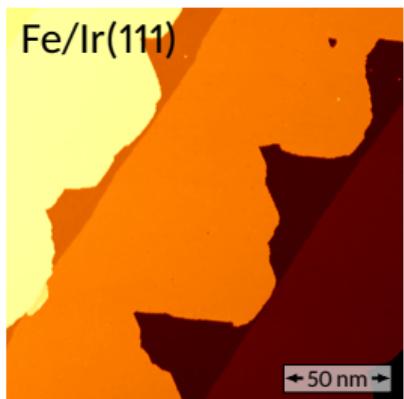
Sputter deposition



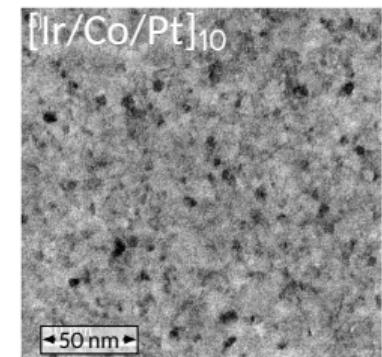
Magnetic ultrathin films



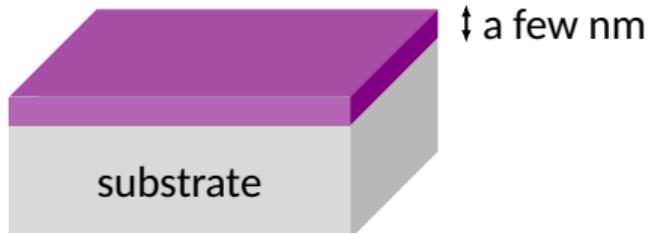
Evaporation



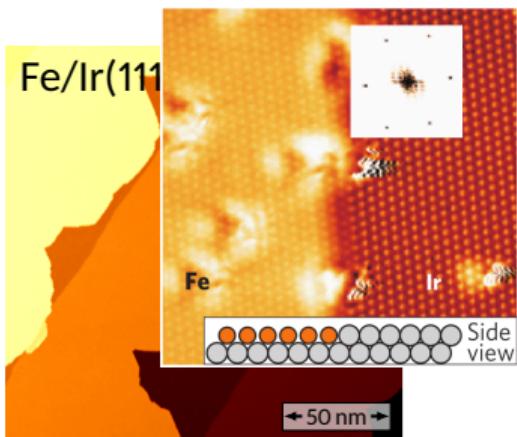
Sputter deposition



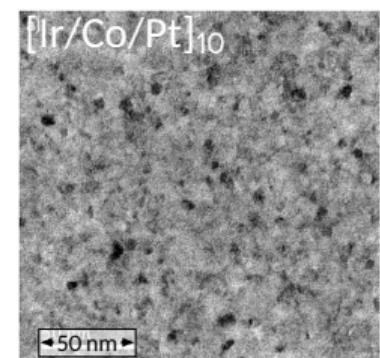
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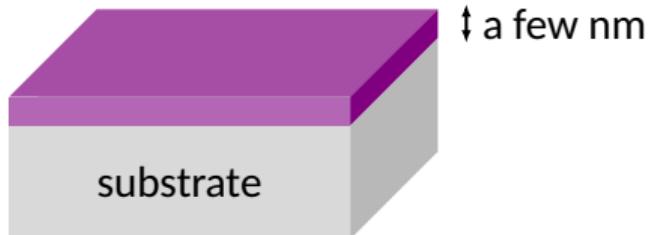
Sputter deposition



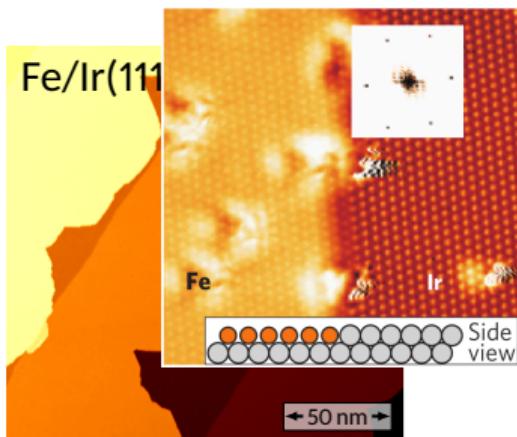
S. Heinze et al. *Nat Phys* 7 (2011), 713–718

S. McVitie et al. *Scientific Reports* 8 (2018), 5703

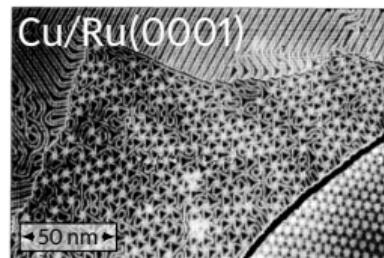
Magnetic ultrathin films



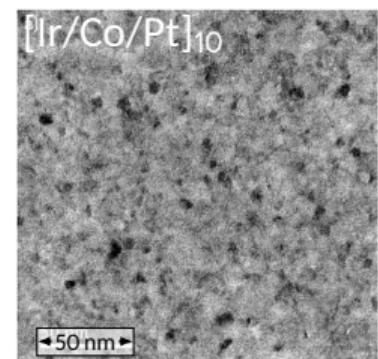
Evaporation



Strain relief effects



Sputter deposition



S. Heinze et al. *Nat Phys* 7 (2011), 713–718

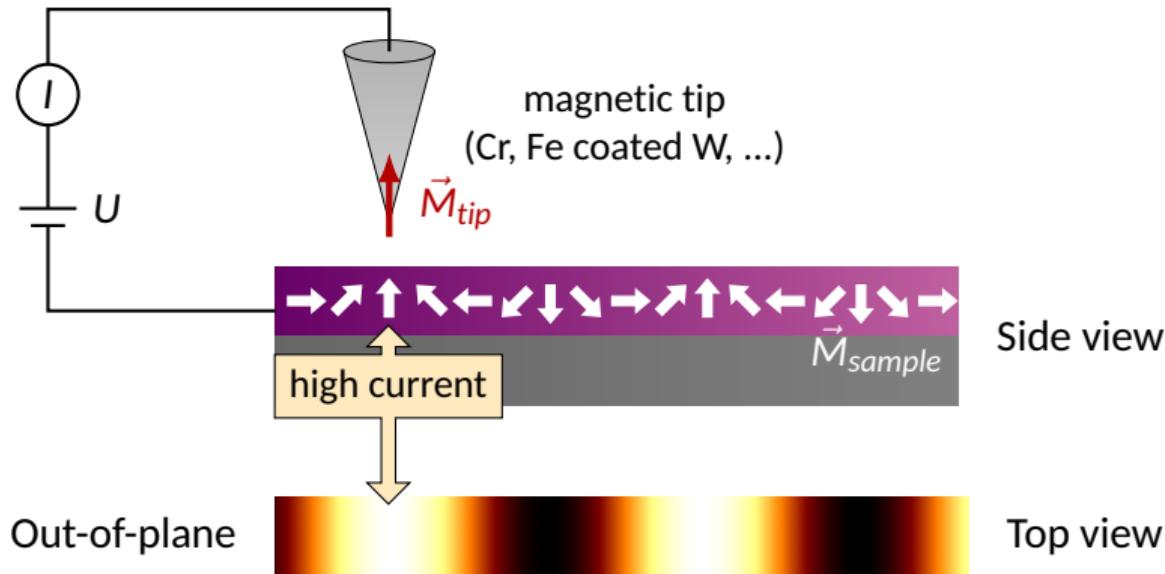
C. Günther et al. *Phys. Rev. Lett.* 74 (1995), 754–757

S. McVitie et al. *Scientific Reports* 8 (2018), 5703

Spin-polarized Scanning Tunneling Microscopy (SP-STM)

Tunneling MagnetoResistance

 R. Wiesendanger, Rev. Mod. Phys. 81 (2009), 1495–1550

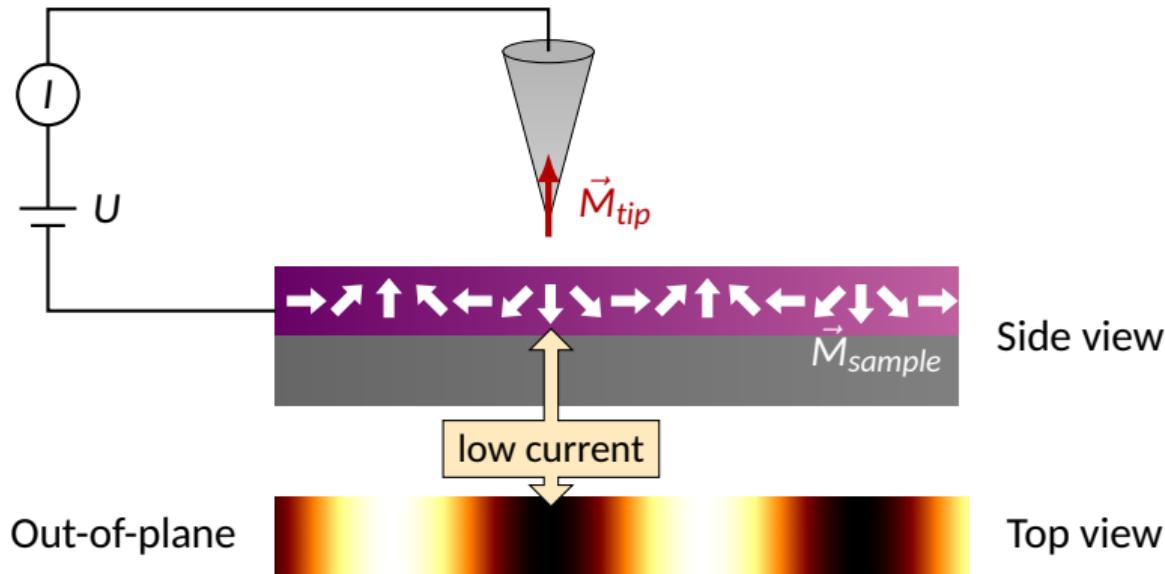


$$I = I_0 \left(1 + P_{sample} P_{tip} \cos(\vec{M}_{sample}, \vec{M}_{tip}) \right)$$

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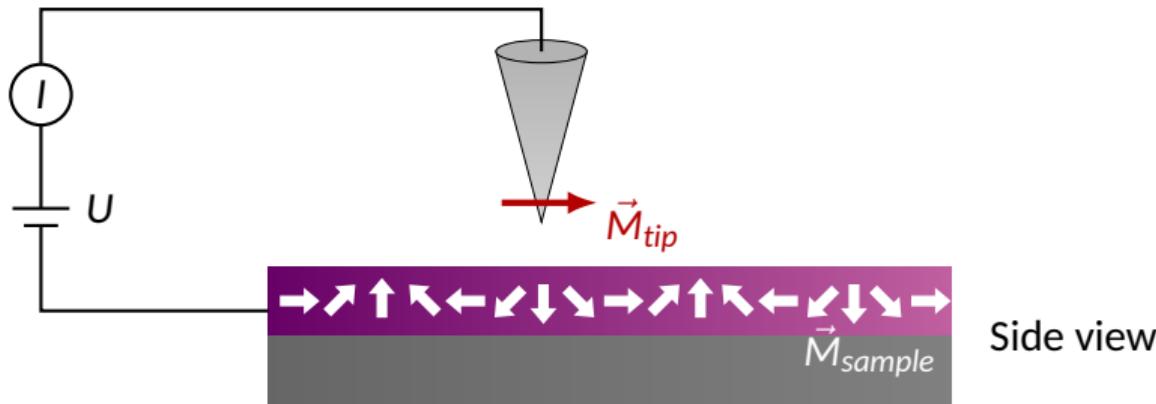


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Spin-polarized Scanning Tunneling Microscopy (SP-STM)

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Out-of-plane



Top view

In-plane

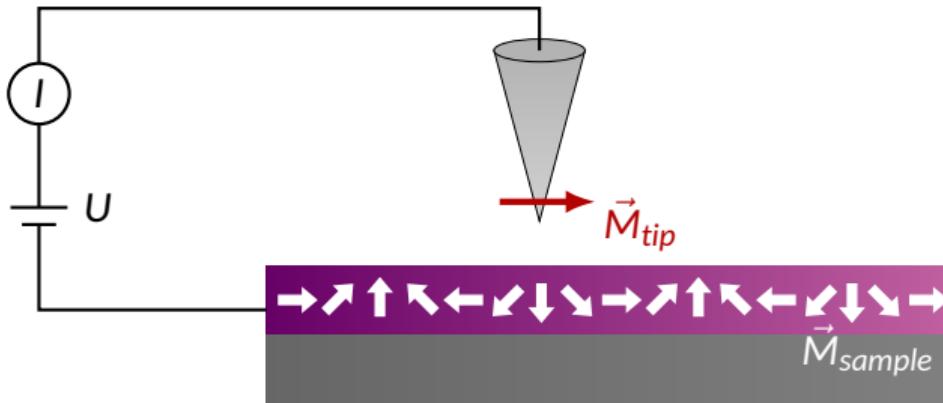


Top view

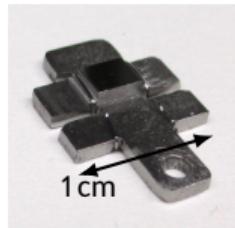
Spin-polarized Scanning Tunneling Microscopy (SP-STM)

Tunneling MagnetoResistance

 R. Wiesendanger. Rev. Mod. Phys. 81 (2009), 1495–1550



Side view



Top view



Top view

Competition between the different magnetic contributions

Exchange coupling

$$\mathcal{E}_{\text{exch}} = \sum_{i \neq j} J_{ij} \vec{m}_i \cdot \vec{m}_j$$

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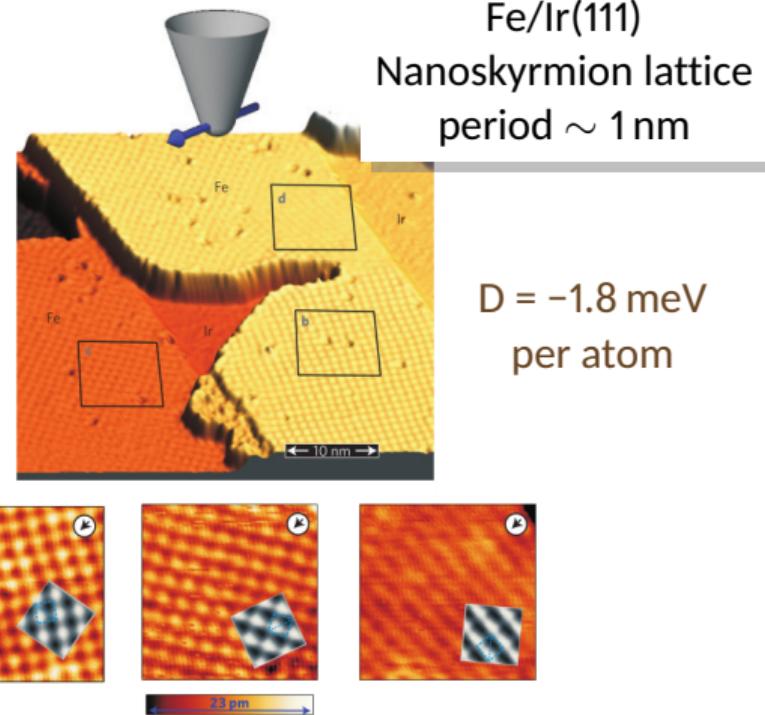
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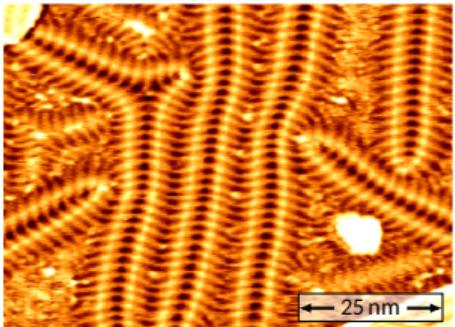
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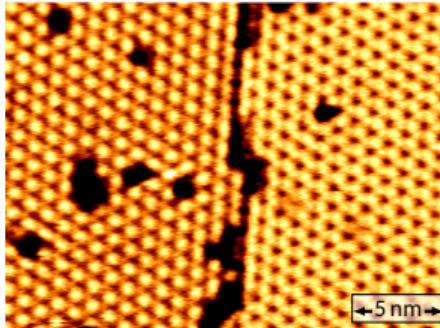
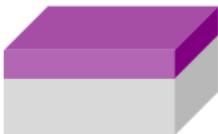


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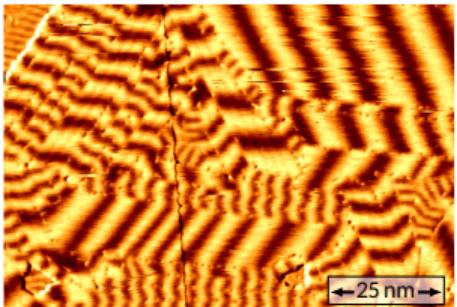
Overview of the studied systems



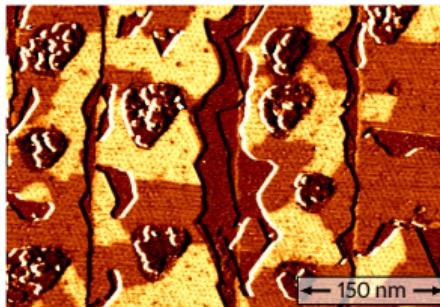
Fe/Fe/Ir(111)



H-Fe/Ir(111)



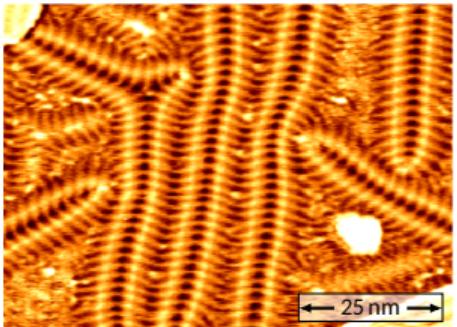
Fe/Fe/Fe/Ir(111)



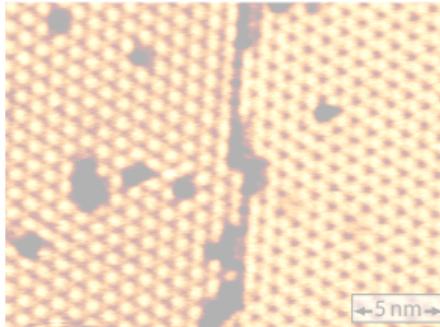
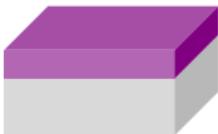
Ni/Fe/Ir(111)



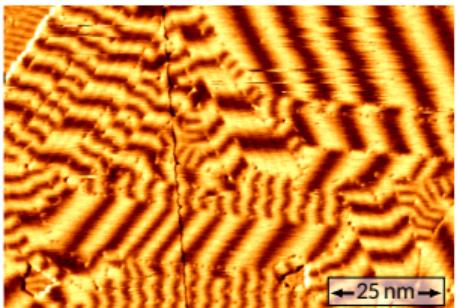
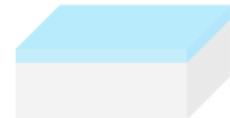
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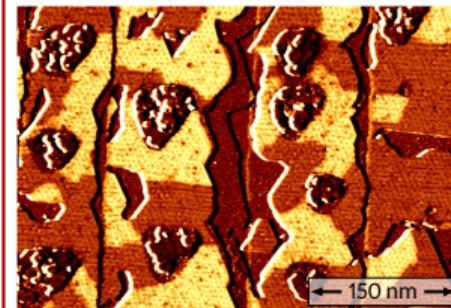
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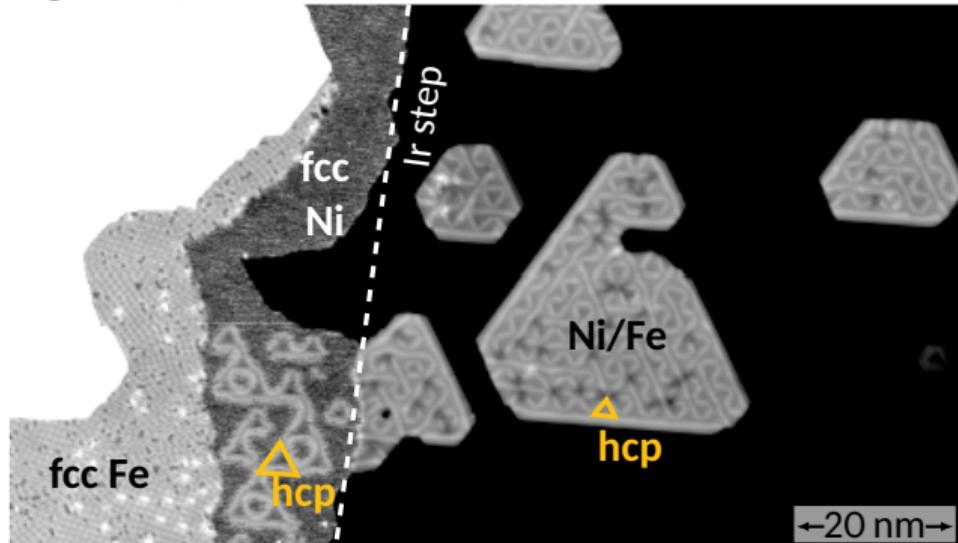
Fe/Fe/Fe/Ir(111)



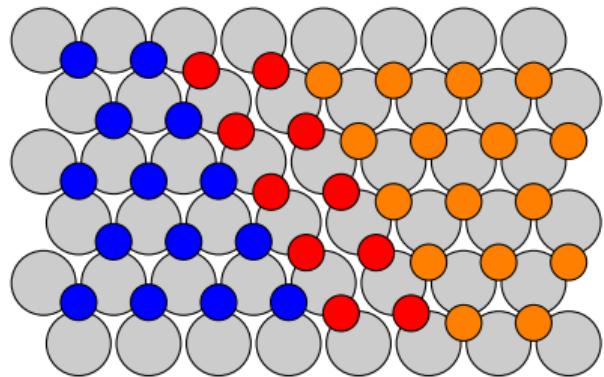
Ni/Fe/Ir(111)



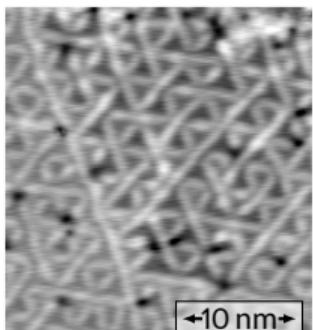
Triangular pattern in Ni/Fe/Ir(111)



● fcc site ● hcp site ● bridge site

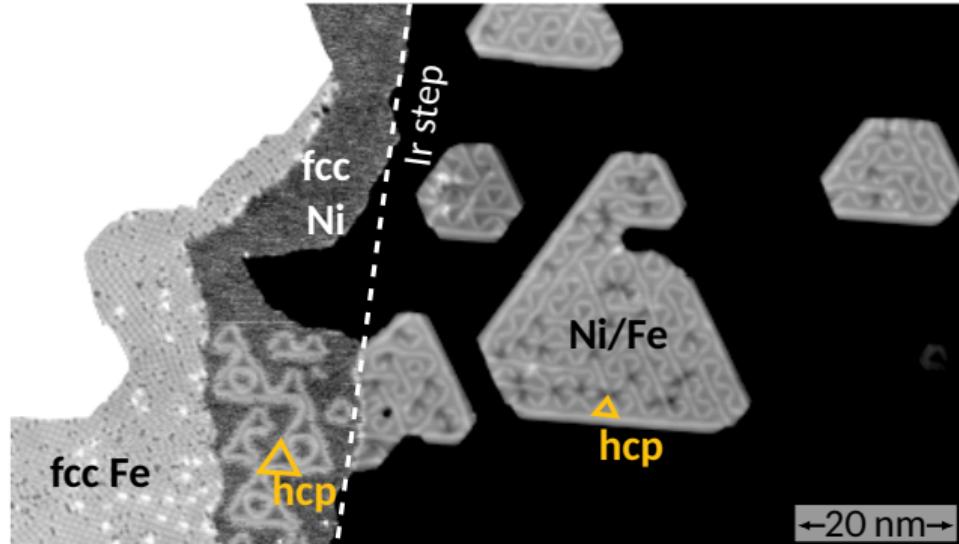


D. Iaia et al. *Phys. Rev. B* 93 (2016), 134409

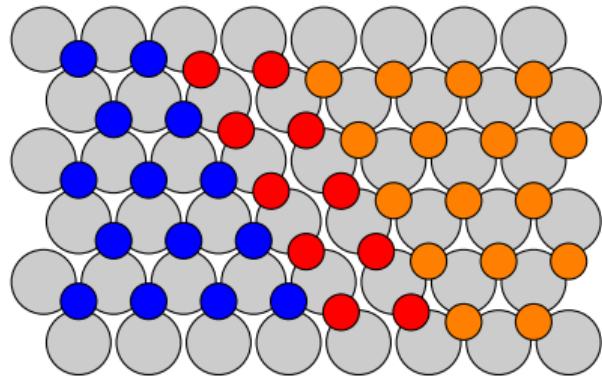


- ▶ Alternating triangular fcc and hcp areas
- ▶ Separated by bridge lines

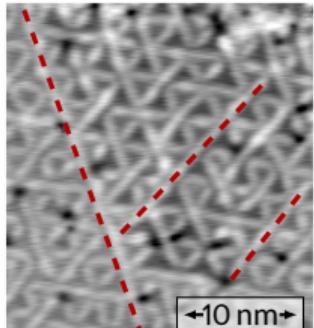
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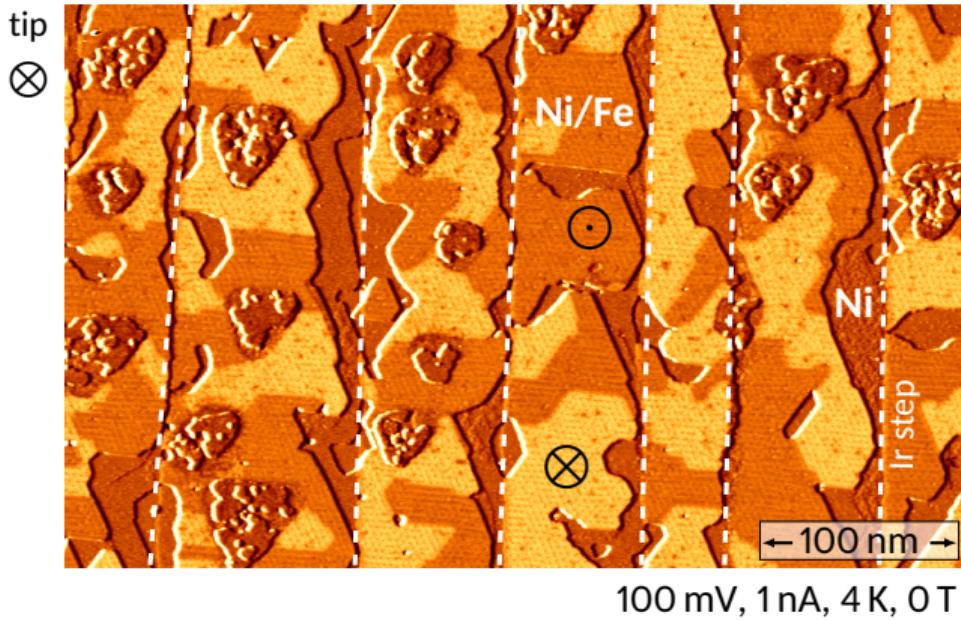


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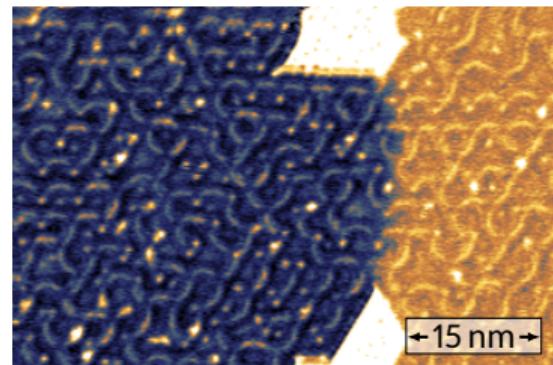
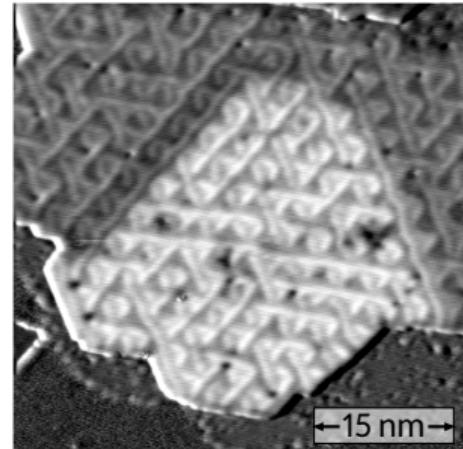


- ▶ Alternating triangular fcc and hcp areas
- ▶ Separated by bridge lines
- ▶ Some of the bridge lines are very long and influence the magnetic state

Strong pinning of the domain walls to the bridge lines

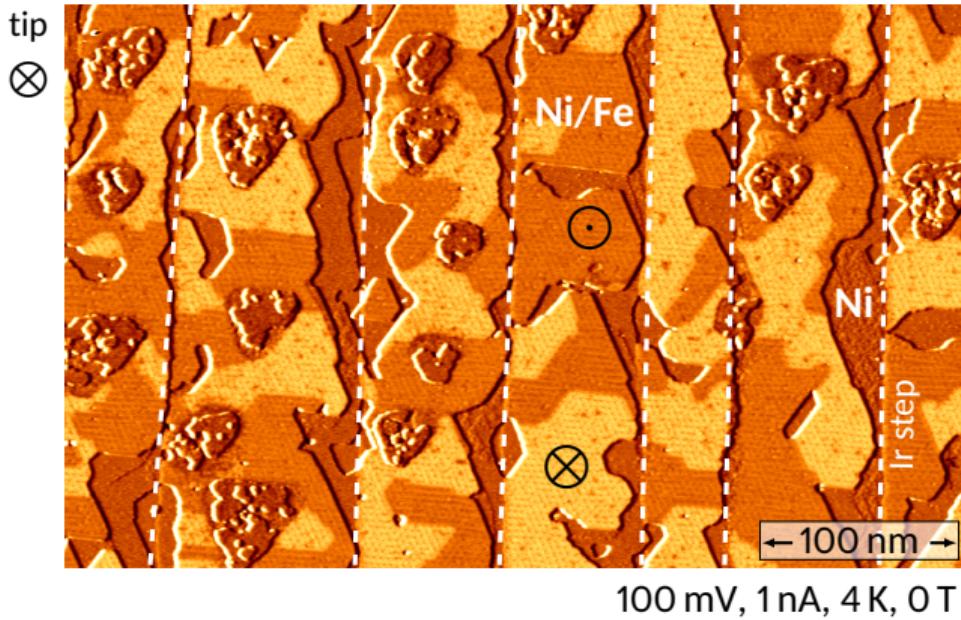


- ▶ Out-of-plane ferromagnetic domains

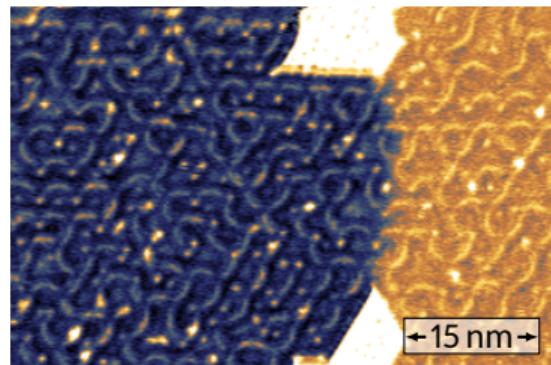
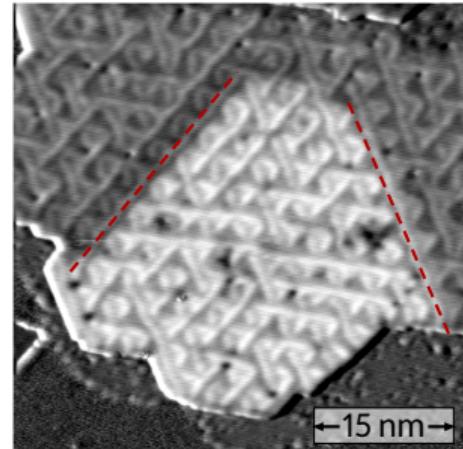


Co/Pt(111), measured by M. Perini

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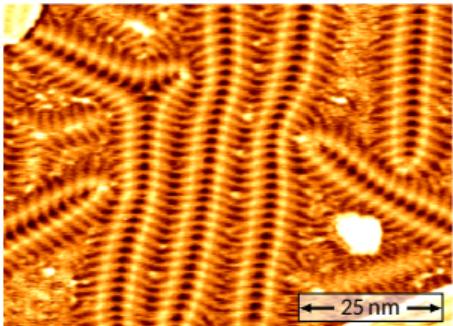


- ▶ Out-of-plane ferromagnetic domains
- ▶ Domain walls pinned at the long bridge lines
- ▶ Modification of exchange, DMI or anisotropy at the lines, making the walls energetically more favorable

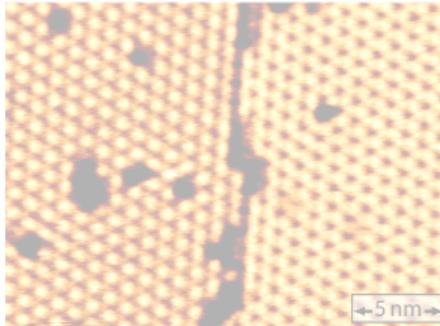


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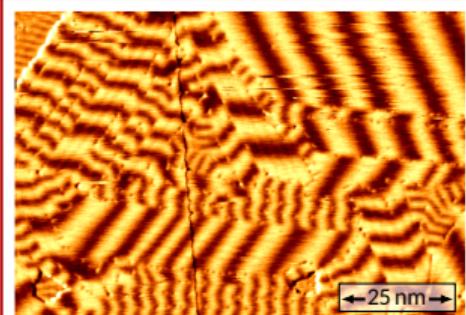
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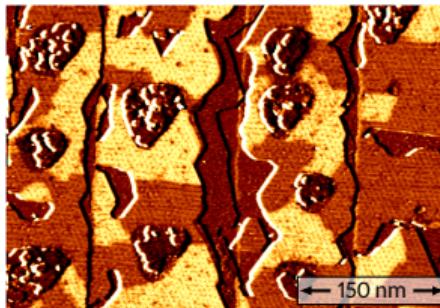
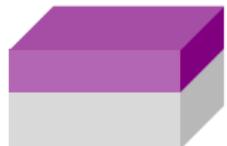
Fe/Fe/Ir(111)



H-Fe/Ir(111)



Fe/Fe/Fe/Ir(111)

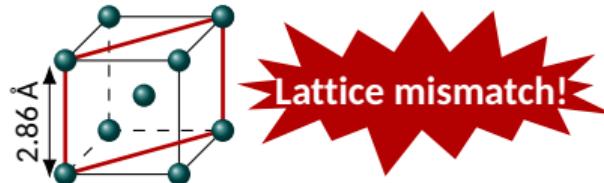


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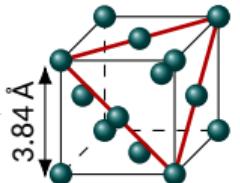
The Fe double layer on Ir(111)

Bulk Fe: bcc



bcc(110) nearest neighbor
distance: $a = 2.47 \text{ \AA}$

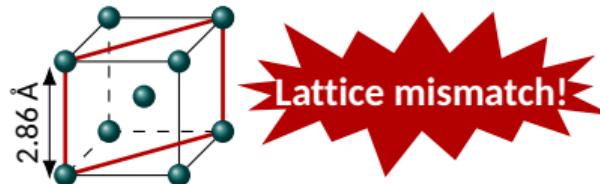
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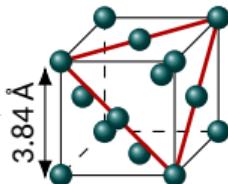
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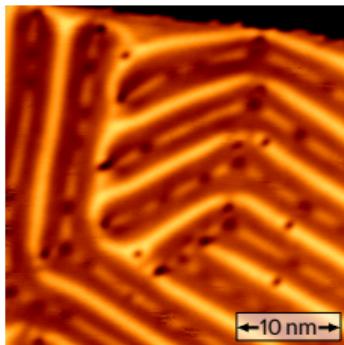


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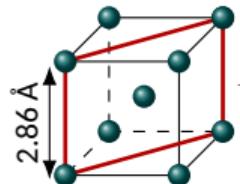
200 mV, 1 nA, 5 K, 0 T



P.-J. Hsu, A. Finco *et al.* Phys. Rev. Lett. 116 (2016), 017201

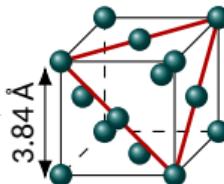
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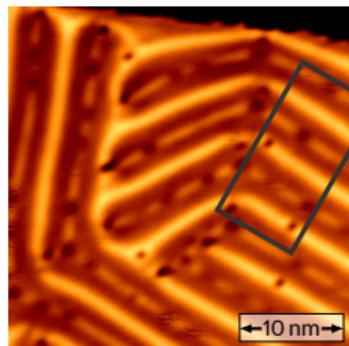
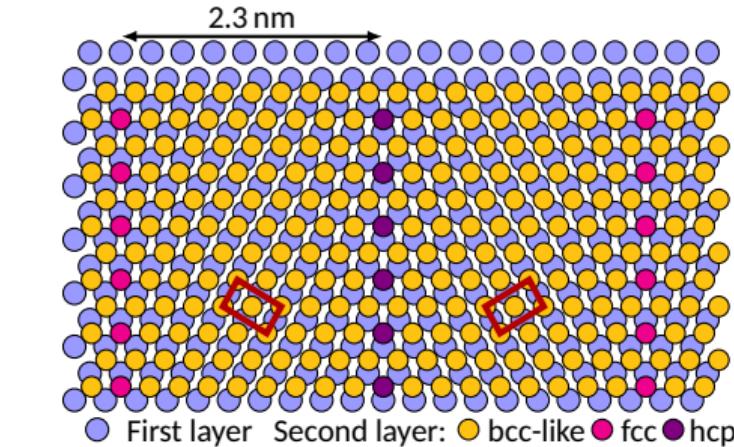


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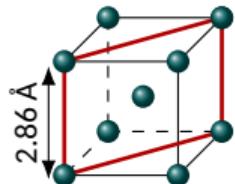


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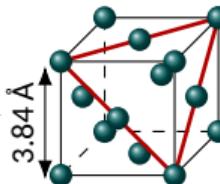
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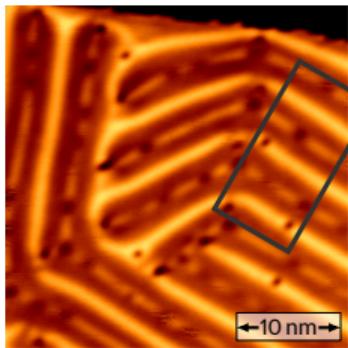
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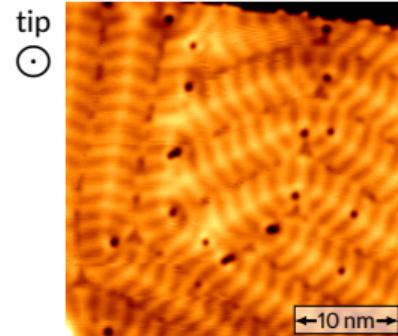
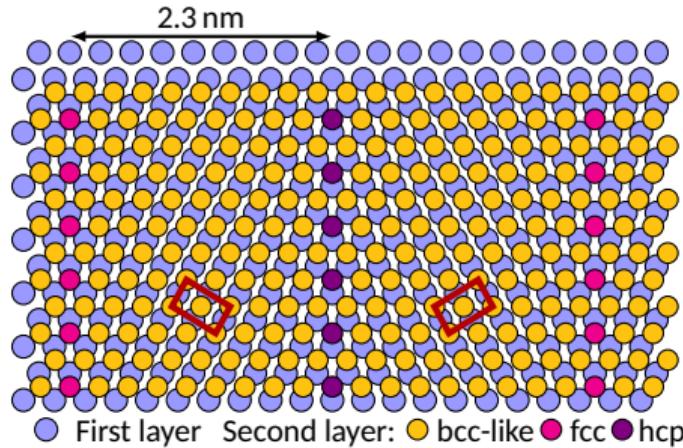


fcc(111) nearest neighbor
distance: $a = 2.72 \text{ \AA}$

- ▶ Spin spirals
- ▶ Guided propagation along the dislocation lines
- ▶ Period $\sim 1.5 \text{ nm}$
- ▶ No change up to 9 T



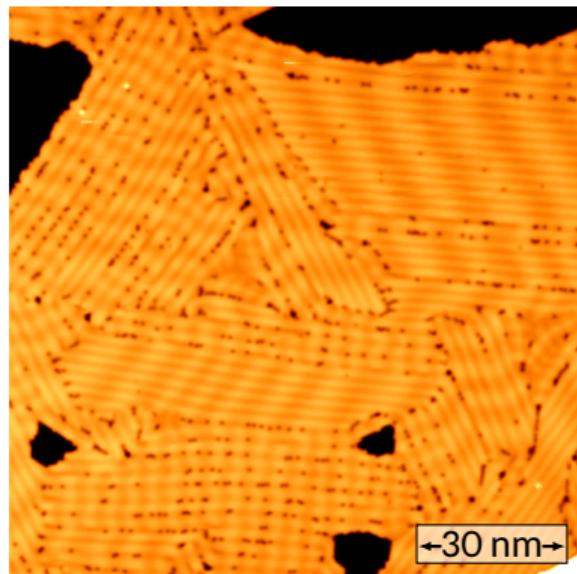
200 mV, 1 nA, 5 K, 0 T



1 V, 2 nA, 5 K, 4 T

The Fe triple layer on Ir(111)

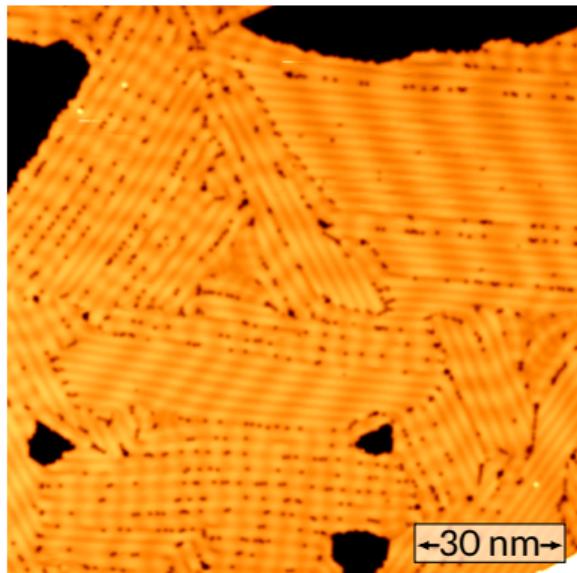
Constant current map



-700 mV, 1 nA, 8 K, 0 T, Cr bulk tip

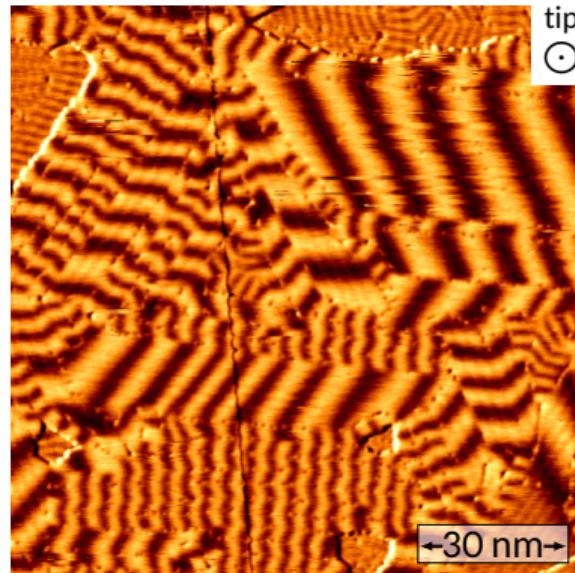
The Fe triple layer on Ir(111)

Constant current map



-700 mV, 1 nA, 8 K, 0 T, Cr bulk tip

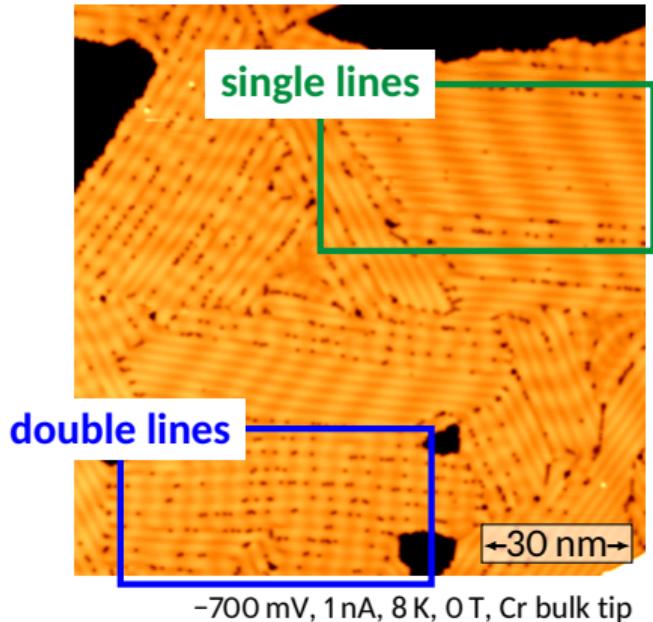
Differential conductance map



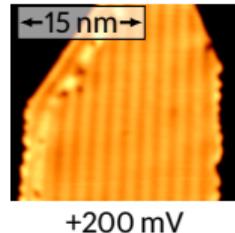
-700 mV, 1 nA, 8 K, 0 T, Cr bulk tip

The Fe triple layer on Ir(111)

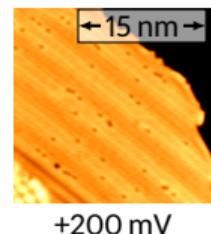
Constant current map



- ▶ Same appearance at any voltage, positive or negative
- ▶ Line spacing: 1.8 to 2.2 nm
- ▶ Spin spiral period: 5 to 10 nm
- ▶ Straight but canted spiral wavefront

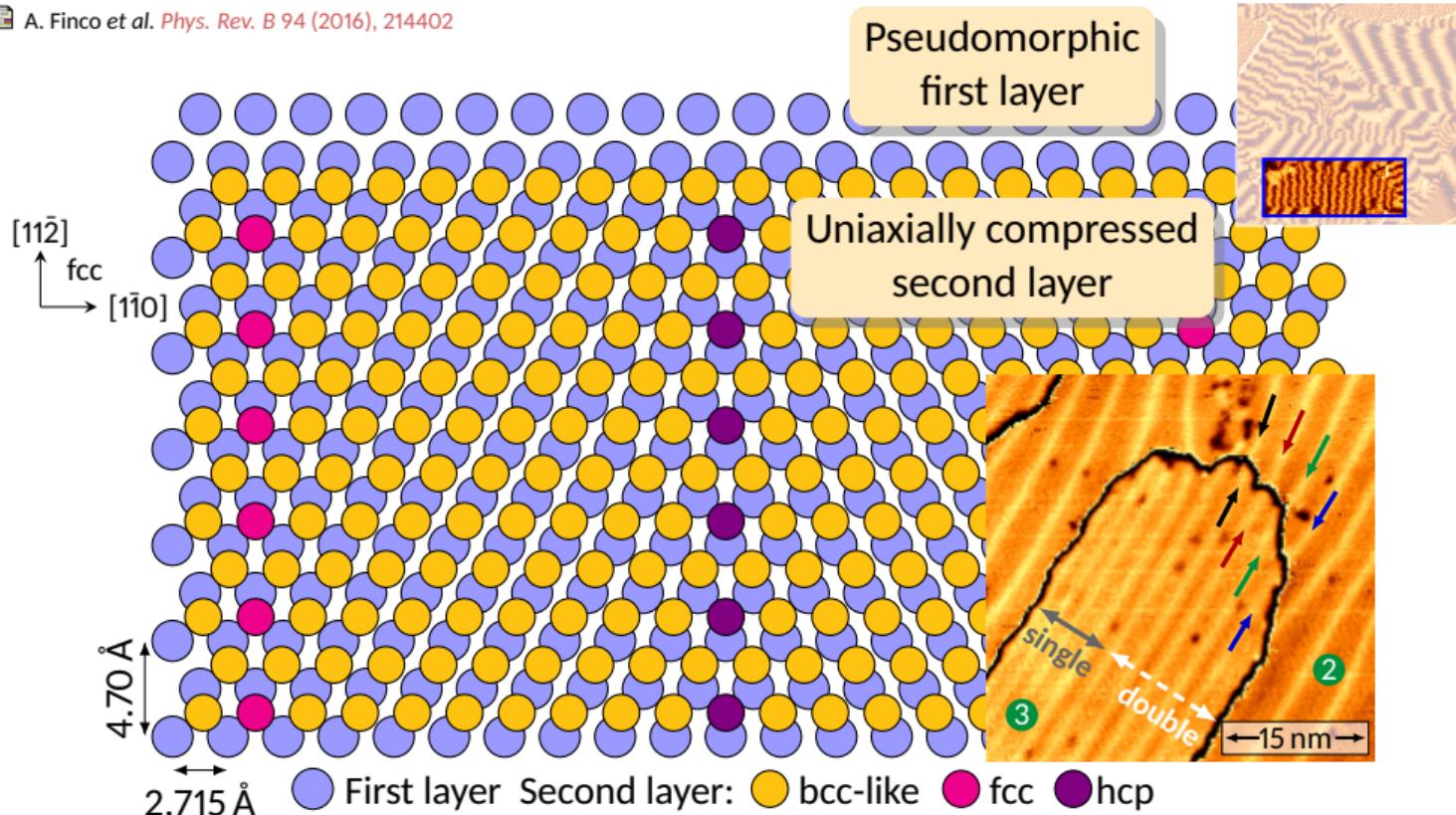


- ▶ Double line feature only at positive voltage
- ▶ Line spacing: 2.2 to 2.8 nm
- ▶ Spin spiral period: 3 to 4 nm
- ▶ Zigzag spiral wavefront



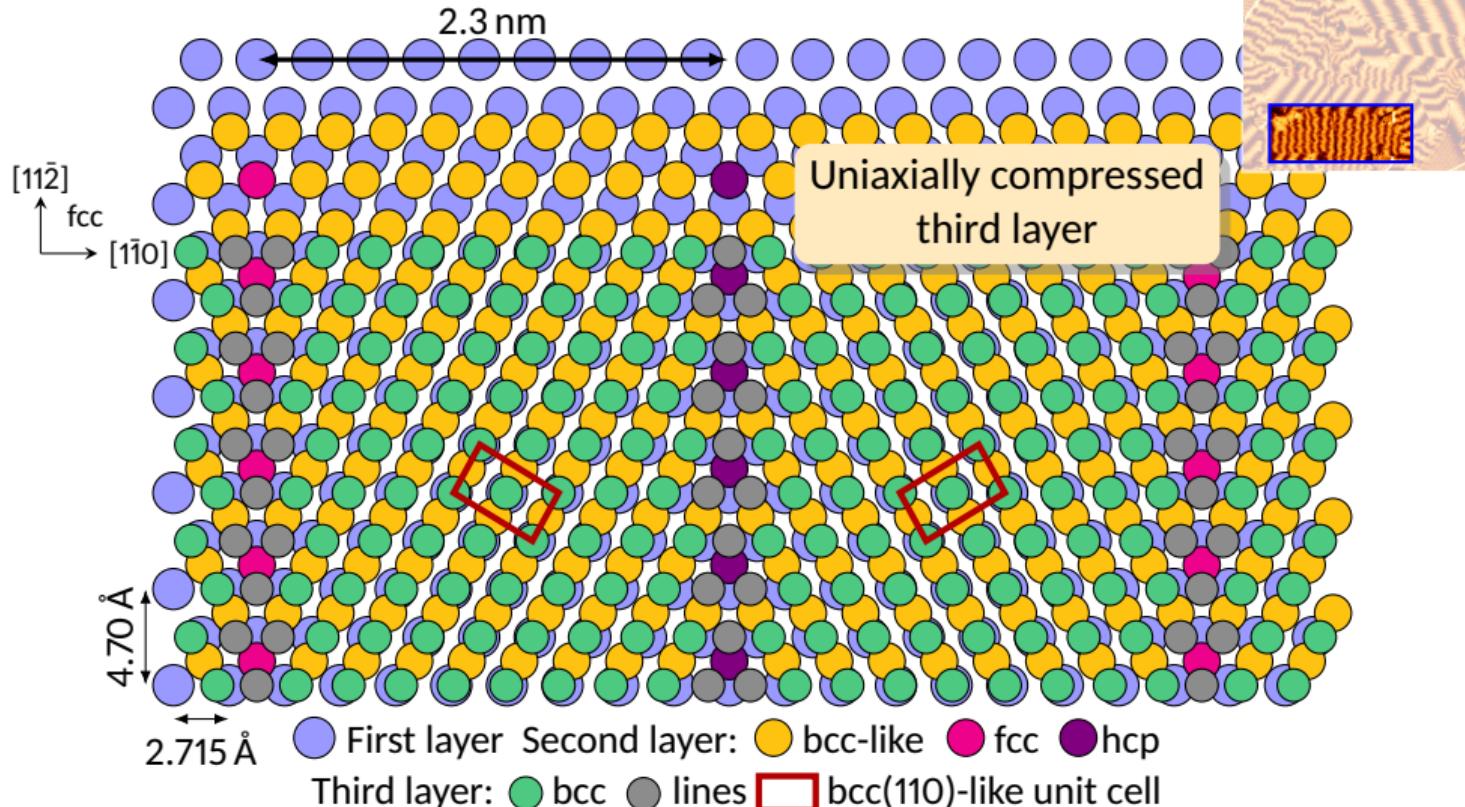
Double lines, atomic structure model

A. Finco et al. *Phys. Rev. B* 94 (2016), 214402



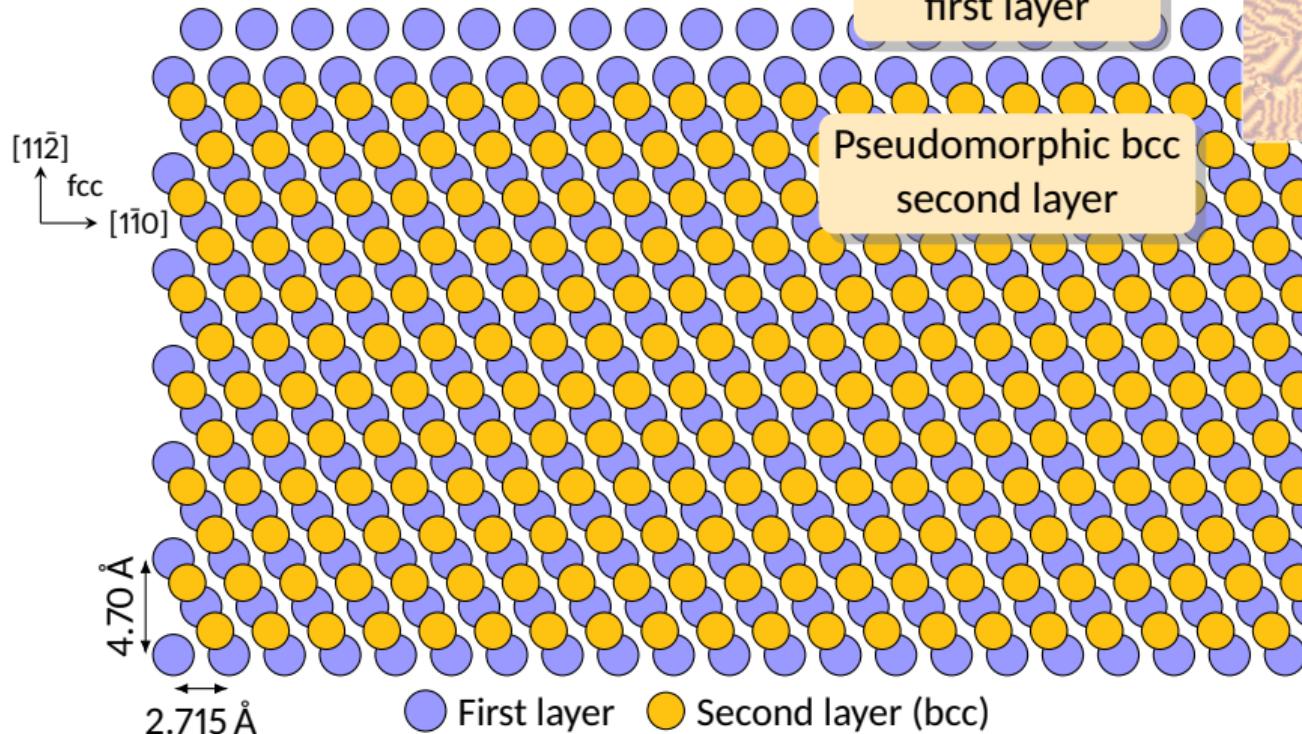
Double lines, atomic structure model

A. Finco et al. *Phys. Rev. B* 94 (2016), 214402



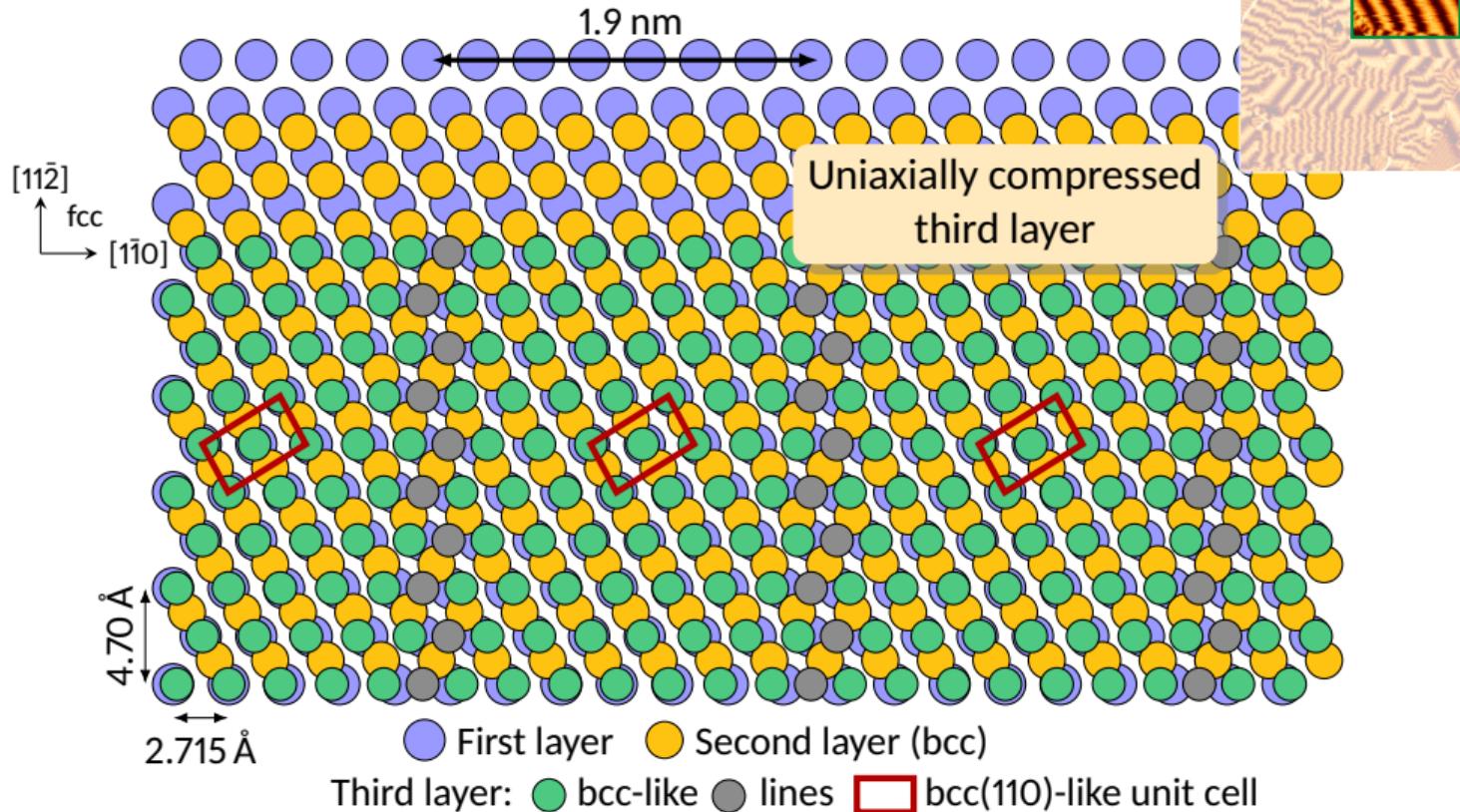
Single lines, atomic structure model

A. Finco et al. *Phys. Rev. B* 94 (2016), 214402

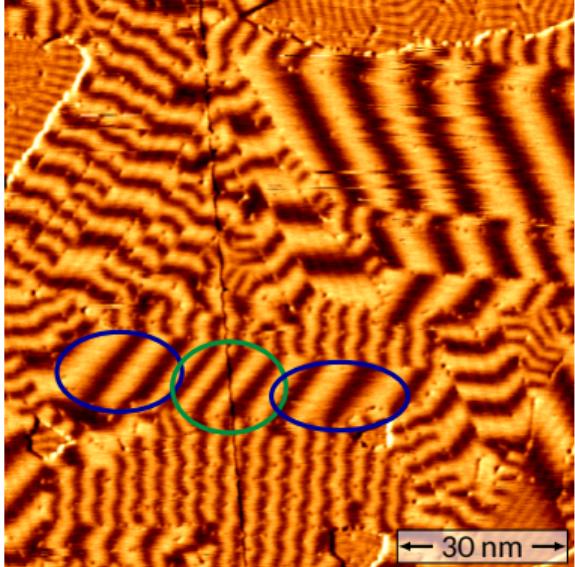


Single lines, atomic structure model

A. Finco et al. *Phys. Rev. B* 94 (2016), 214402



Varying spin spiral period



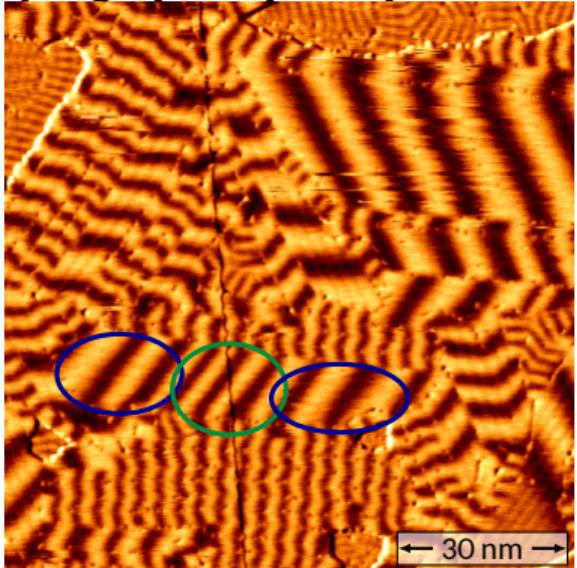
Magnetic period:



Dislocation lines spacing:



Varying spin spiral period

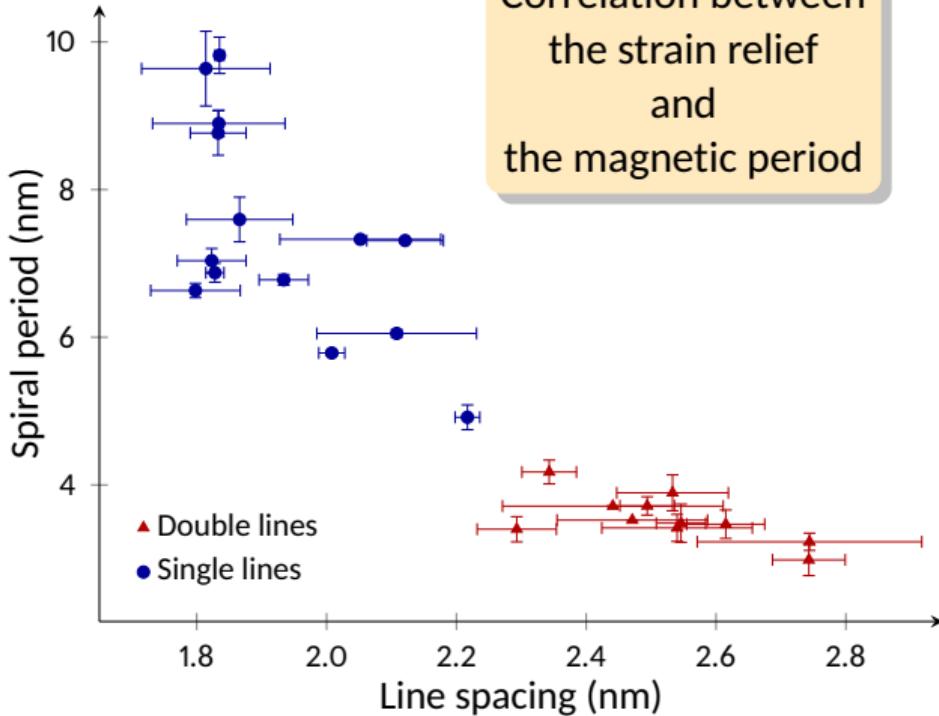


Magnetic period:

	7.5 nm		4.9 nm
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Dislocation lines spacing:

	1.85 nm		2.1 nm
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A. Finco et al. *Phys. Rev. B* 94 (2016), 214402

Micromagnetic 1D model

 A. Bogdanov et al. *J. Magn. Magn. Mater.* 138 (1994), 255–269

1D model

$$\mathcal{E} = A \left(\frac{d\vec{m}}{dx} \right)^2 + D \left(m_z \frac{dm_x}{dx} - m_x \frac{dm_z}{dx} \right) - K_{\text{eff}} m_z^2$$

exchange
coupling

DMI

effective
anisotropy

Micromagnetic 1D model

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exchange
coupling

DMI


effective
anisotropy

comes from
the interface

$$|D| = 2.8 \text{ mJ m}^{-2}$$

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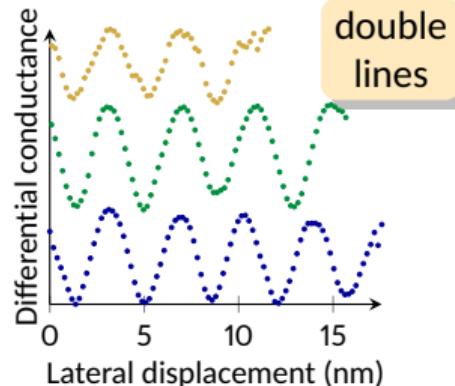
exchange
coupling

DMI

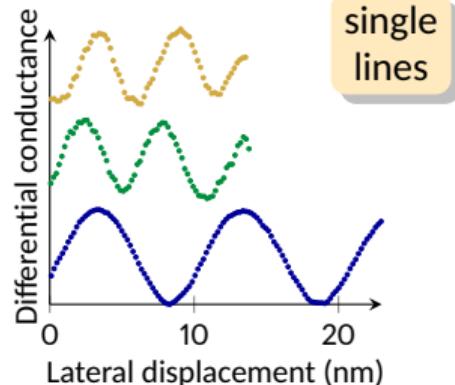

effective
anisotropy

comes from
the interface
 $|D| = 2.8 \text{ mJ m}^{-2}$

Magnetic signal



double
lines



single
lines

Micromagnetic 1D model

A. Bogdanov et al. J. Magn. Magn. Mater. 138 (1994), 255–269

1D model

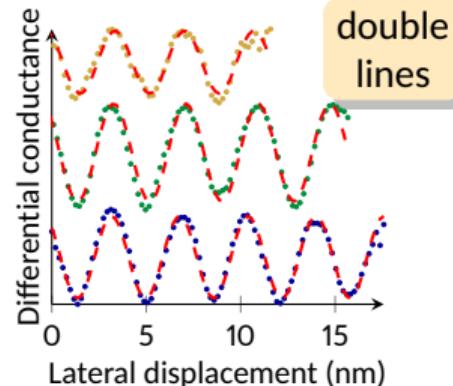
$$\mathcal{E} = A \left(\frac{d\vec{m}}{dx} \right)^2 + D \left(m_z \frac{dm_x}{dx} - m_x \frac{dm_z}{dx} \right) - K_{\text{eff}} m_z^2$$

exchange
coupling

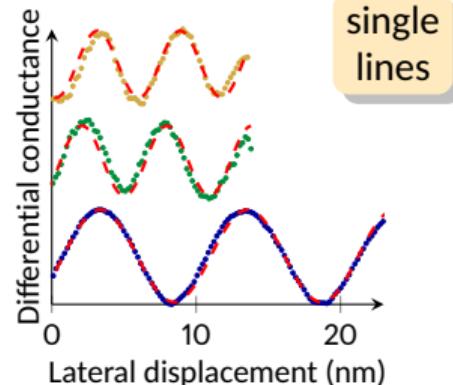
DMI
↓
comes from
the interface
 $|D| = 2.8 \text{ mJ m}^{-2}$

effective
anisotropy
↓
negligible
 $K_{\text{eff}} = 0$
↓
 $\lambda = 4\pi \frac{A}{|D|}$

Magnetic signal



single
lines



Micromagnetic 1D model

A. Bogdanov et al. J. Magn. Magn. Mater. 138 (1994), 255–269

1D model

$$\mathcal{E} = A \left(\frac{d\vec{m}}{dx} \right)^2 + D \left(m_z \frac{dm_x}{dx} - m_x \frac{dm_z}{dx} \right) - K_{\text{eff}} m_z^2$$

exchange coupling

DMI

effective anisotropy

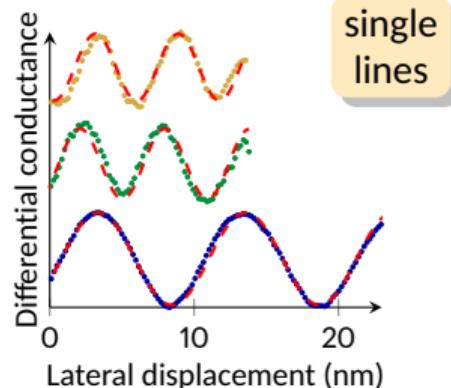
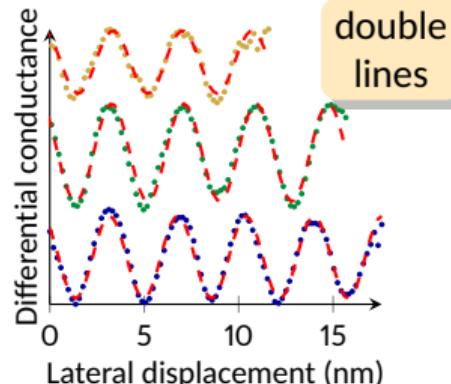
affected by
the non-uniform
strain relief

comes from
the interface
 $|D| = 2.8 \text{ mJ m}^{-2}$

negligible
 $K_{\text{eff}} = 0$

$$\lambda = 4\pi \frac{A}{|D|}$$

Magnetic signal



Micromagnetic 1D model

A. Bogdanov et al. J. Magn. Magn. Mater. 138 (1994), 255–269

1D model

$$\mathcal{E} = A \left(\frac{d\vec{m}}{dx} \right)^2 + D \left(m_z \frac{dm_x}{dx} - m_x \frac{dm_z}{dx} \right) - K_{\text{eff}} m_z^2$$

exchange coupling

DMI

effective anisotropy

affected by
the non-uniform
strain relief

comes from
the interface
 $|D| = 2.8 \text{ mJ m}^{-2}$

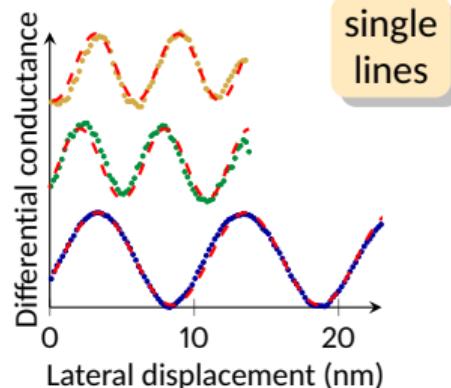
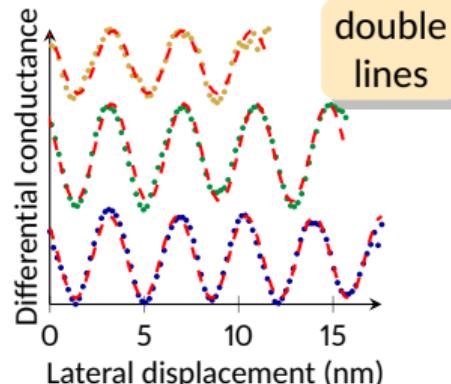
negligible
 $K_{\text{eff}} = 0$

$$3 \text{ nm} \leq \lambda \leq 10 \text{ nm}$$

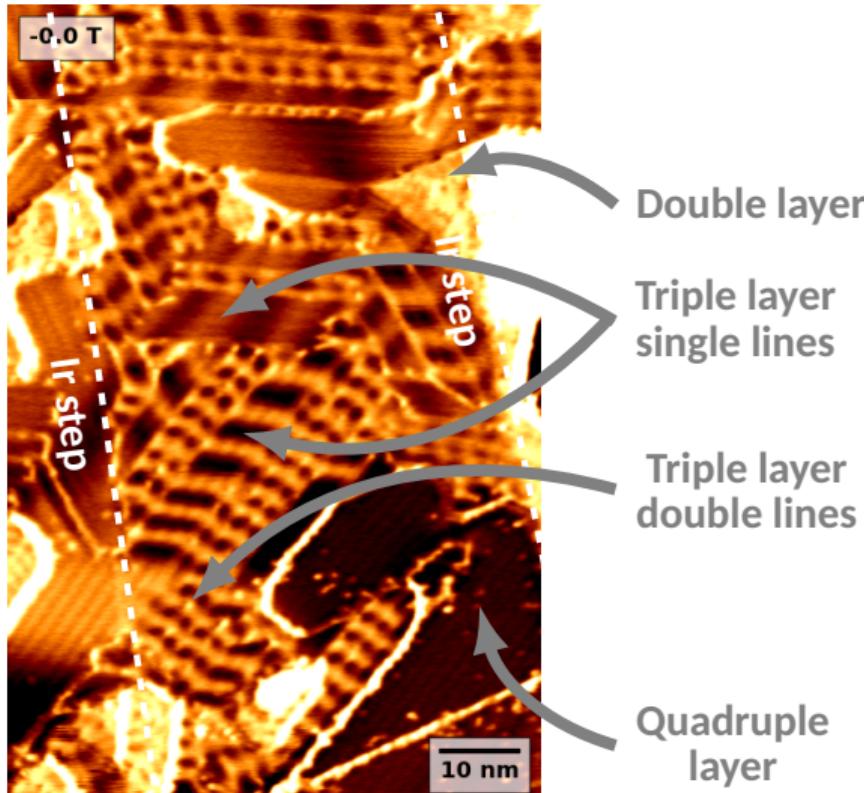
$$\lambda = 4\pi \frac{A}{|D|}$$

$$0.6 \text{ pJ m}^{-1} \leq A \leq 2.2 \text{ pJ m}^{-1}$$

Magnetic signal

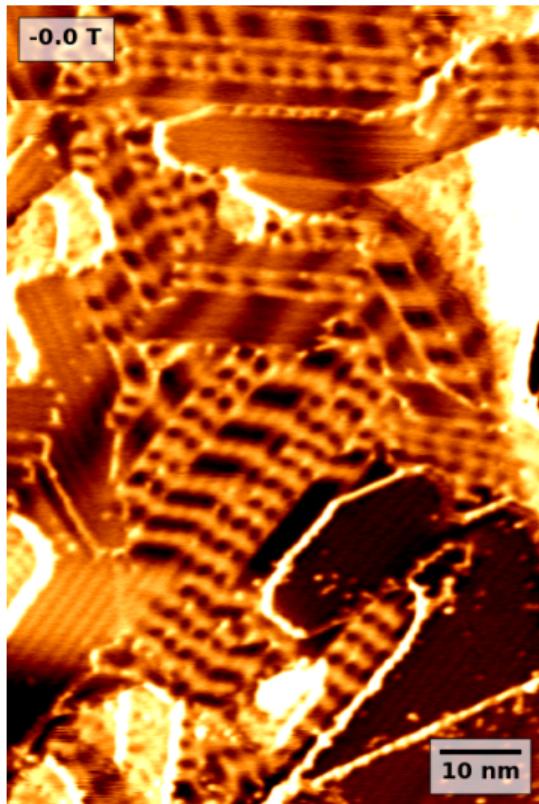


Effect of an external magnetic field

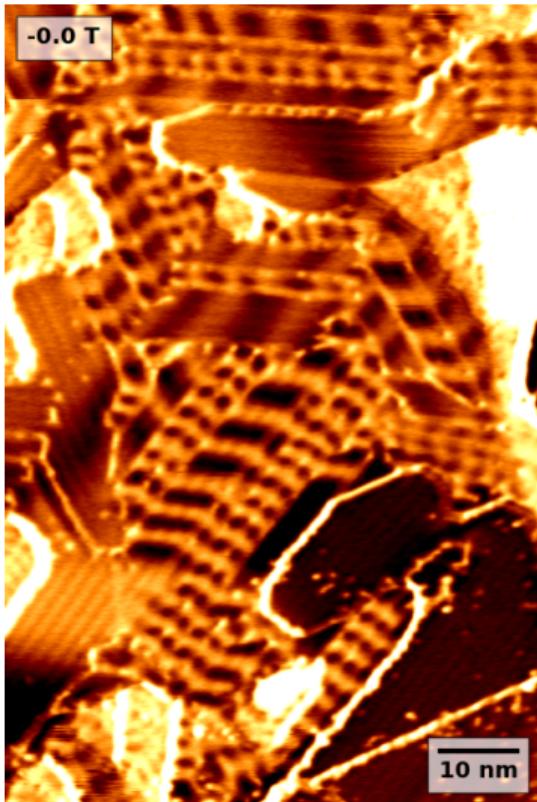


-500 mV, 1 nA, 4 K

Effect of an external magnetic field



Effect of an external magnetic field



Quadruple layer:

- ▶ Ferromagnetic state reached at 0.5 T

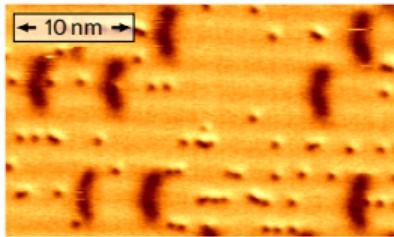
Triple layer, single lines:

- ▶ Dark stripes get thinner, move and disappear
- ▶ Ferromagnetic state reached at 2 T

Triple layer, double lines:

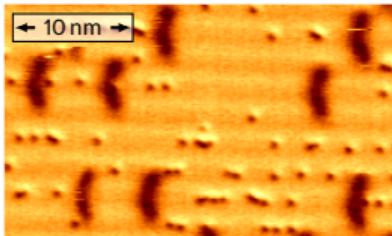
- ▶ Spirals split up in individual magnetic objects
- ▶ Aligned on the dislocation lines
- ▶ Isolated around 3 T
- ▶ Ferromagnetic state reached around 4 T

Magnetic skyrmions



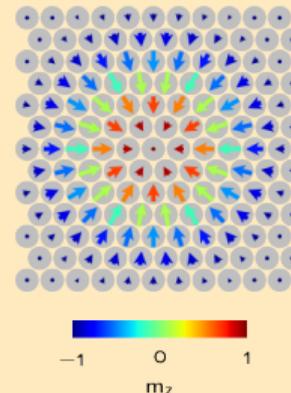
-700 mV, 1 nA, 8 K, 2.5 T

Magnetic skyrmions



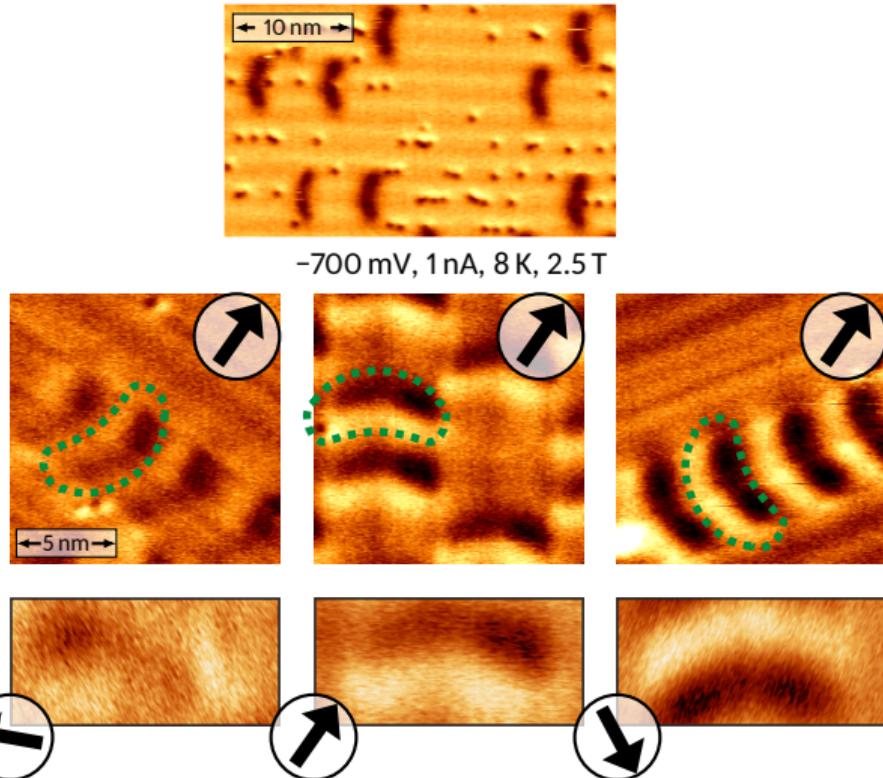
-700 mV, 1 nA, 8 K, 2.5 T

Skyrmions

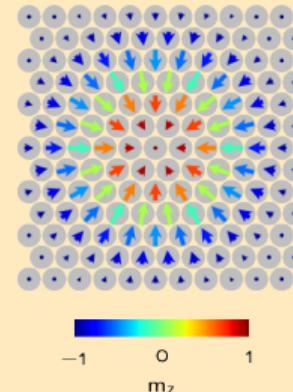


- ▶ Localized magnetic configuration
- ▶ Topological charge
- ▶ Stabilized by the DMI

Magnetic skyrmions

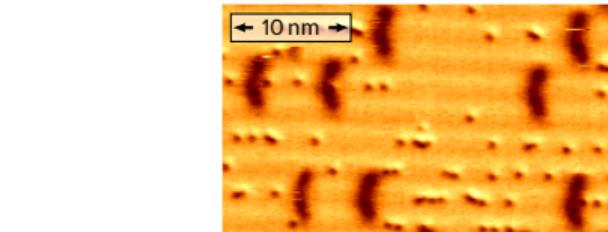


Skyrmions

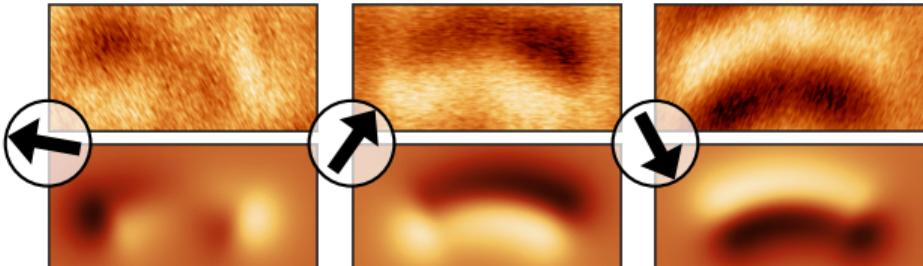
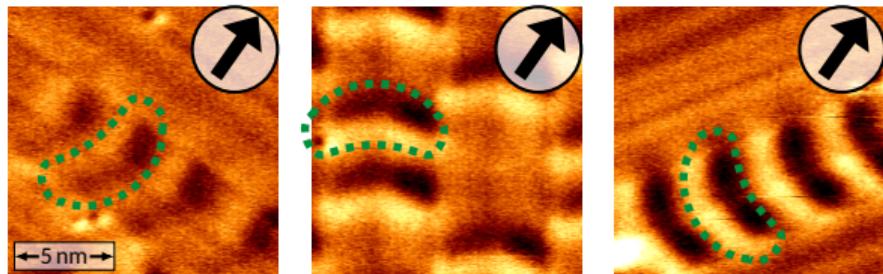


- ▶ Localized magnetic configuration
- ▶ Topological charge
- ▶ Stabilized by the DMI

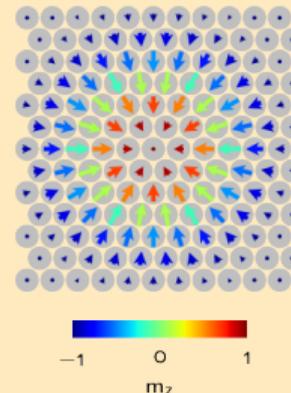
Magnetic skyrmions



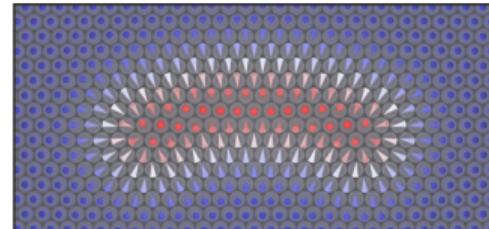
-700 mV, 1 nA, 8 K, 2.5 T



Skyrmions

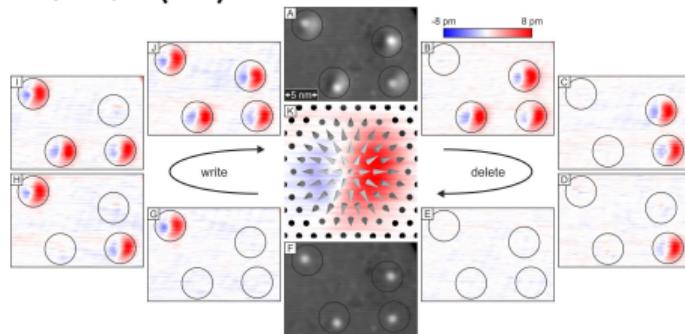


- ▶ Localized magnetic configuration
- ▶ Topological charge
- ▶ Stabilized by the DMI



Manipulation of the skyrmions using a STM tip

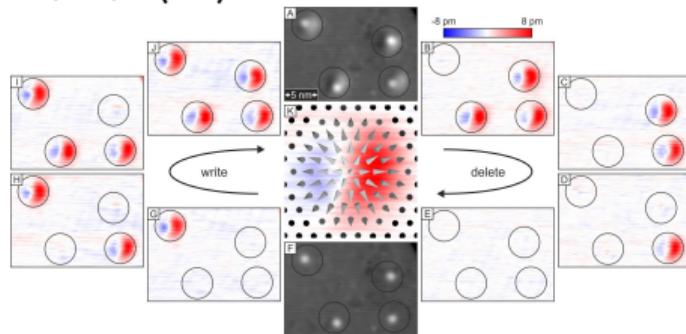
Pd/Fe/Ir(111)



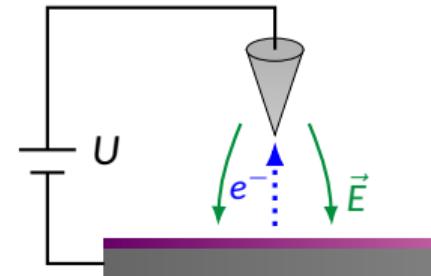
N. Romming et al. *Science* 341 (2013), 636–639

Manipulation of the skyrmions using a STM tip

Pd/Fe/Ir(111)

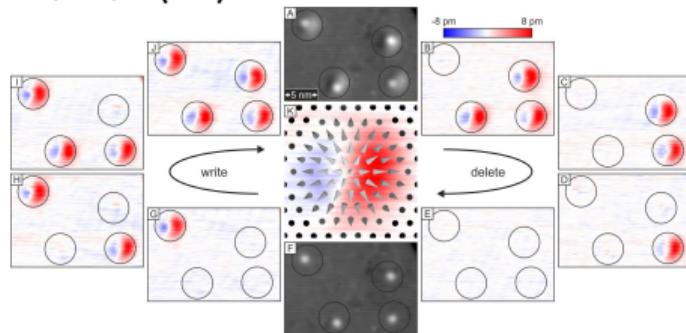


N. Romming et al. *Science* 341 (2013), 636–639

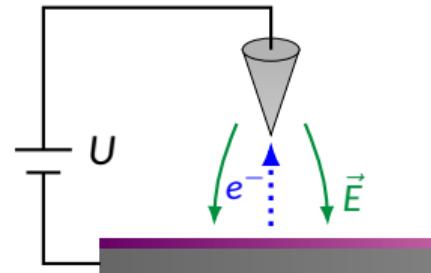


Manipulation of the skyrmions using a STM tip

Pd/Fe/Ir(111)



N. Romming et al. *Science* 341 (2013), 636–639



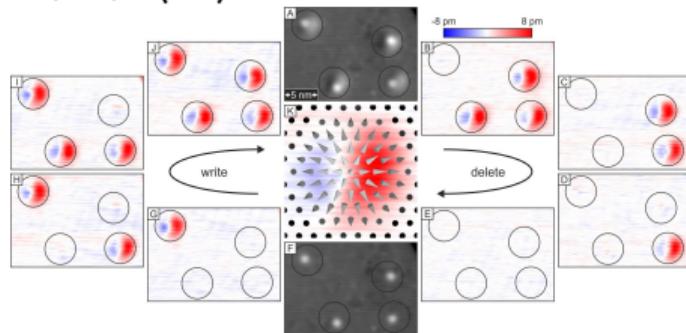
Deleting, ramp to -3 V



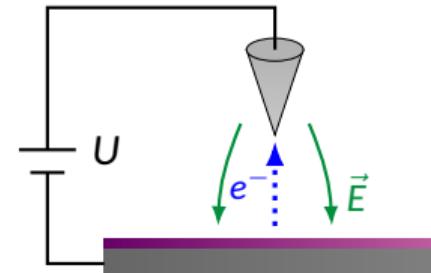
Imaging: 300 mV, 0.5 nA, 8 K, 2.5 T, Cr bulk tip

Manipulation of the skyrmions using a STM tip

Pd/Fe/Ir(111)



N. Romming et al. *Science* 341 (2013), 636–639

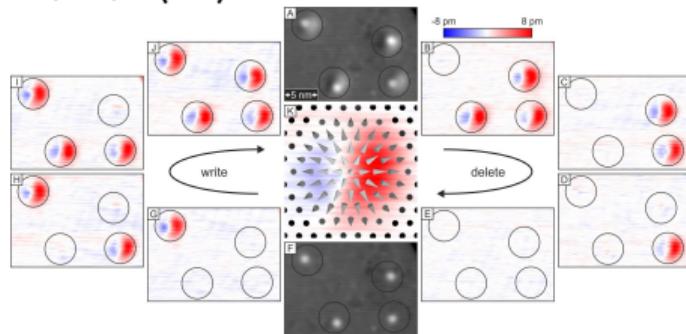


Deleting, ramp to -3 V

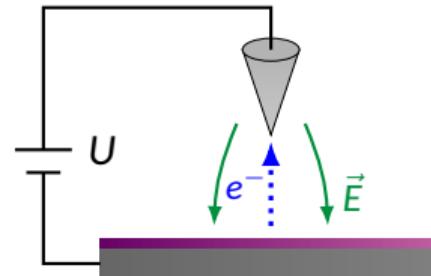


Manipulation of the skyrmions using a STM tip

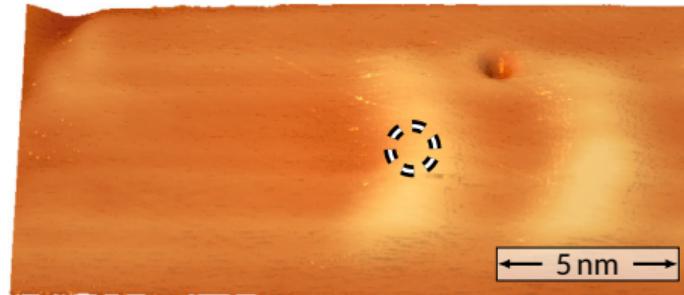
Pd/Fe/Ir(111)



N. Romming et al. *Science* 341 (2013), 636–639



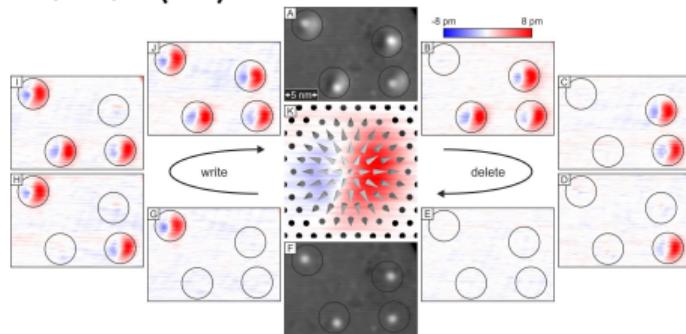
Deleting, ramp to -3 V



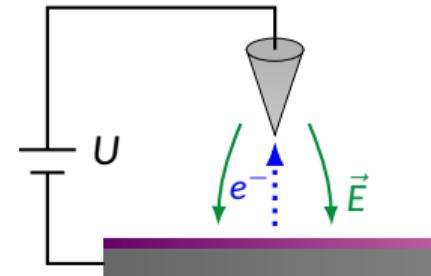
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Manipulation of the skyrmions using a STM tip

Pd/Fe/Ir(111)



N. Romming et al. *Science* 341 (2013), 636–639



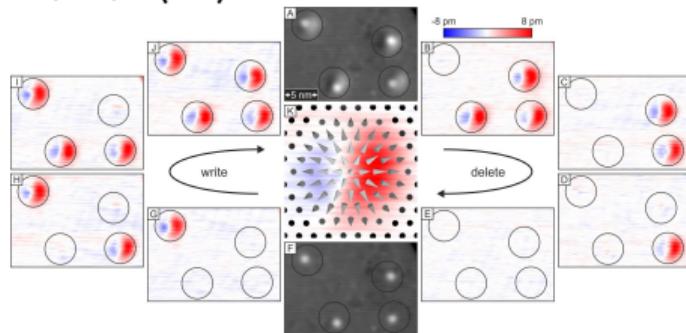
Deleting, ramp to -3 V



Imaging: 300 mV, 0.5 nA, 8 K, 2.5 T, Cr bulk tip

Manipulation of the skyrmions using a STM tip

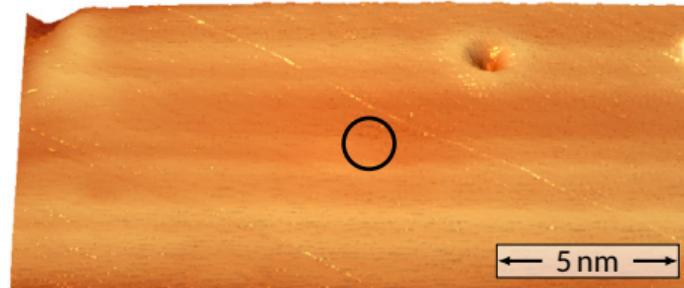
Pd/Fe/Ir(111)



N. Romming et al. *Science* 341 (2013), 636–639

Deleting, ramp to -3 V

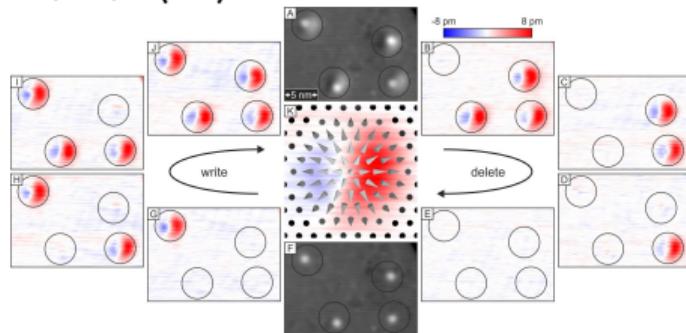
Writing, ramp to 3 V



Imaging: 300 mV, 0.5 nA, 8 K, 2.5 T, Cr bulk tip

Manipulation of the skyrmions using a STM tip

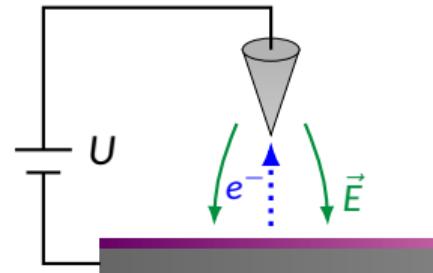
Pd/Fe/Ir(111)



N. Romming et al. *Science* 341 (2013), 636–639

Deleting, ramp to -3 V

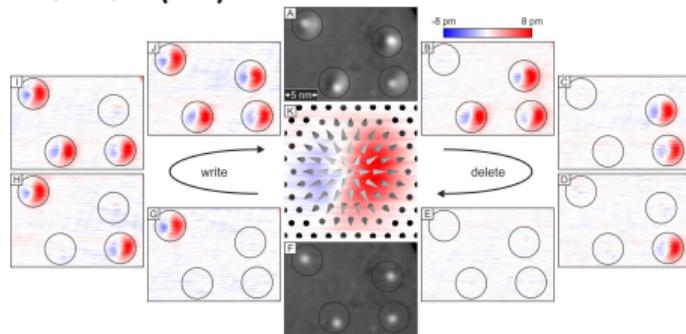
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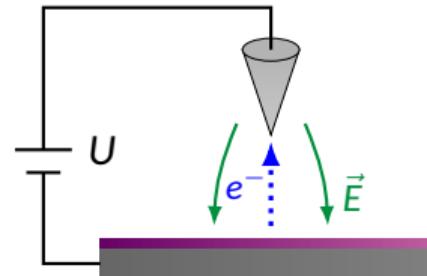
Pd/Fe/Ir(111)



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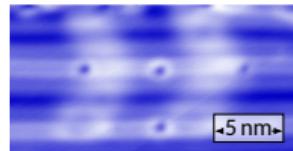
Deleting, ramp to -3 V

Writing, ramp to 3 V



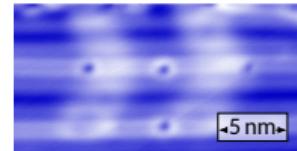
Imaging: 300 mV, 0.5 nA, 8 K, 2.5 T, Cr bulk tip

Switching with a non-magnetic tip



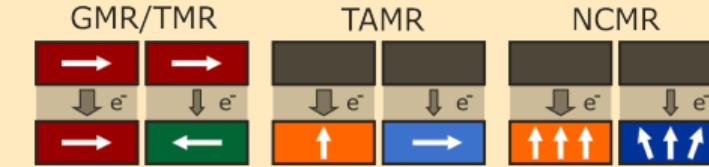
200 mV, 1 nA, 8 K, -1.85 T, W tip

Switching with a non-magnetic tip



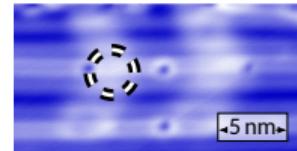
200 mV, 1 nA, 8 K, -1.85 T, W tip

Non-Collinear MagnetoResistance

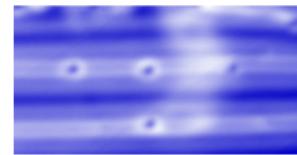
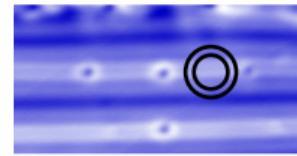
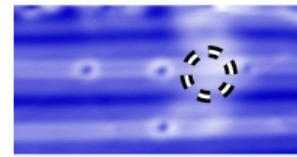


C. Hanneken et al. *Nat. Nanotechnol.* 10 (2015), 1039–1042

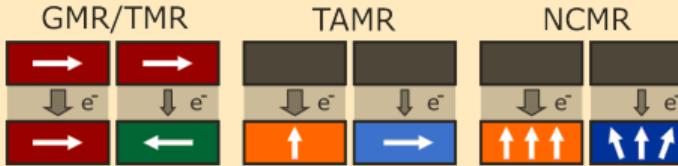
Switching with a non-magnetic tip



200 mV, 1 nA, 8 K, -1.85 T, W tip

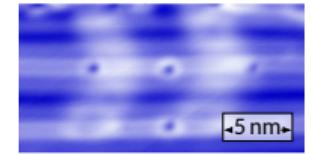


Non-Collinear MagnetoResistance

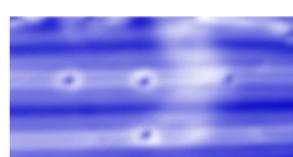
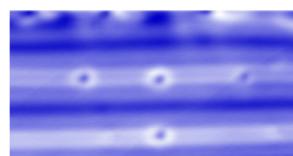
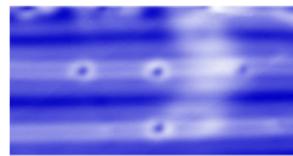


C. Hanneken et al. *Nat. Nanotechnol.* 10 (2015), 1039–1042

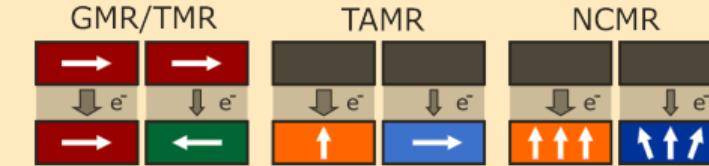
Switching with a non-magnetic tip



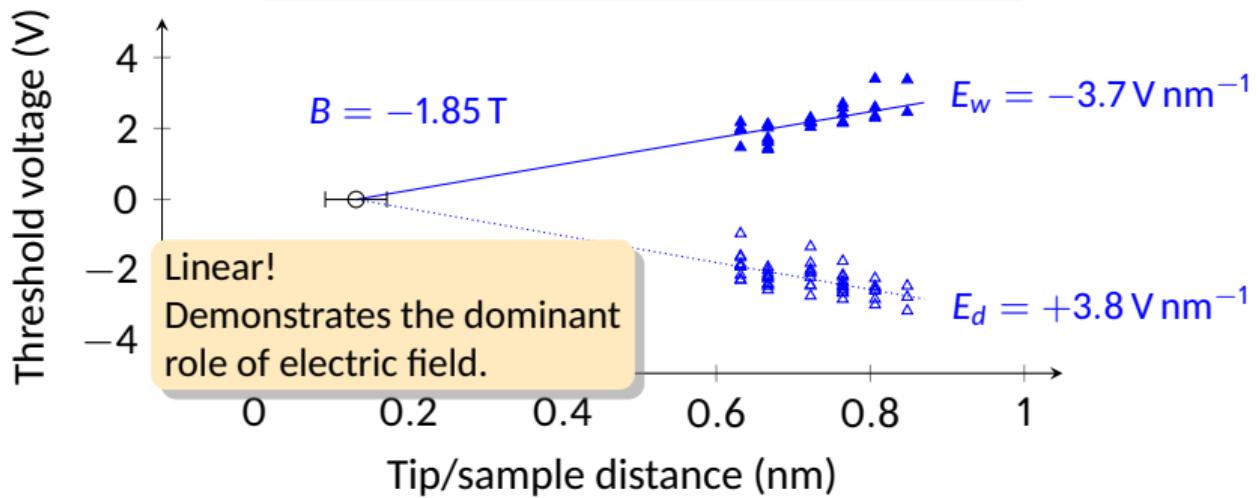
200 mV, 1 nA, 8 K, -1.85 T, W tip



Non-Collinear MagnetoResistance



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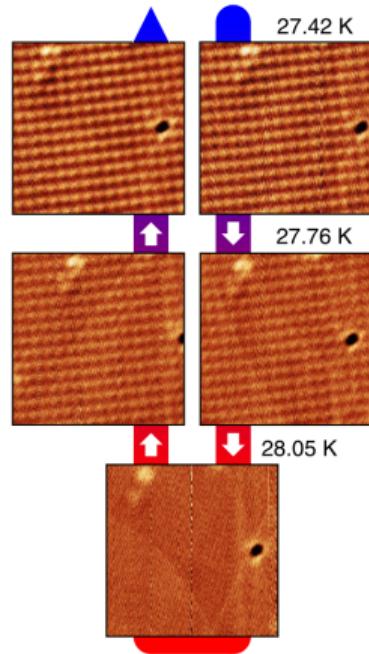


P.-J. Hsu, A. Finco et al. *Nat. Nanotechnol.* 12 (2017), 123–126

Improved thermal stability

Fe monolayer on Ir(111)

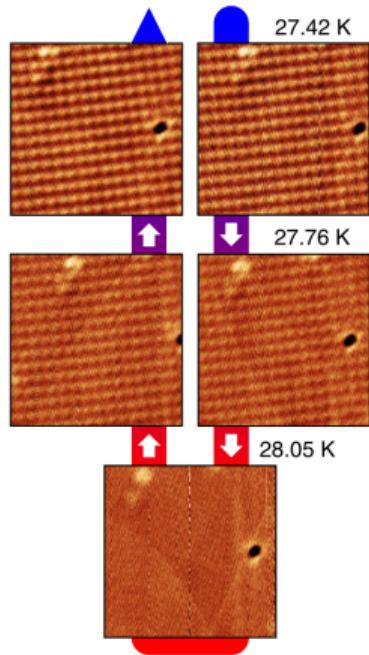
Nanoskyrmion lattice visible
until 28 K



Improved thermal stability

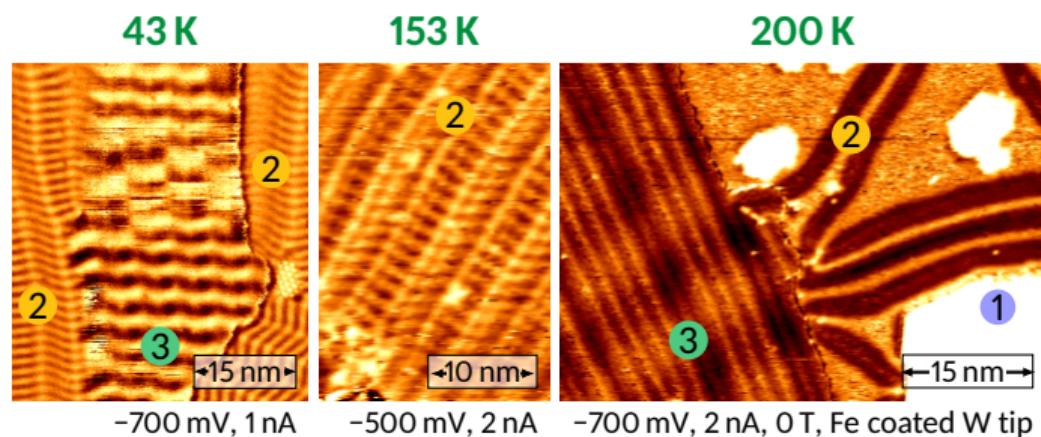
Fe monolayer on Ir(111)

Nanoskyrmion lattice visible until 28 K



Fe double layer on Ir(111)

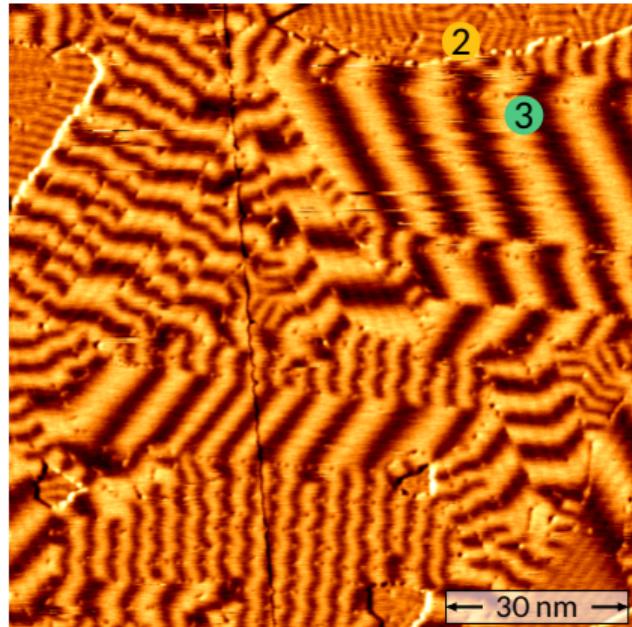
The spin spirals disappear between 150 and 200 K



A. Finco et al. *Phys. Rev. Lett.* 119 (2017), 037202

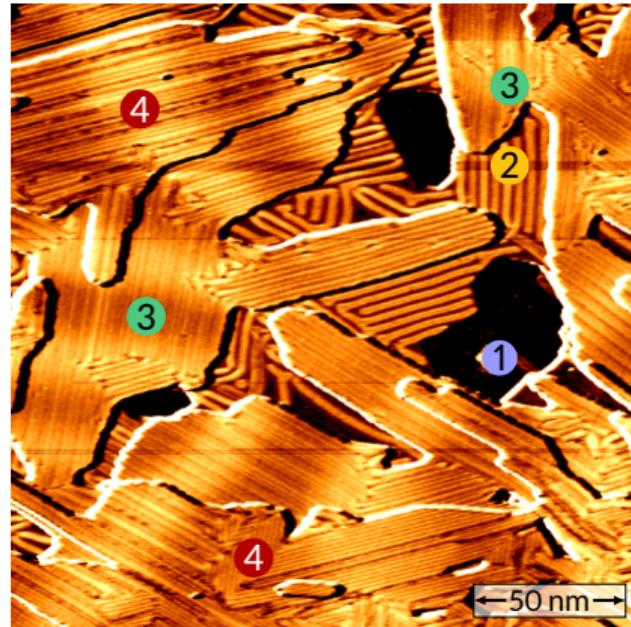
Spin spirals at room temperature

8 K



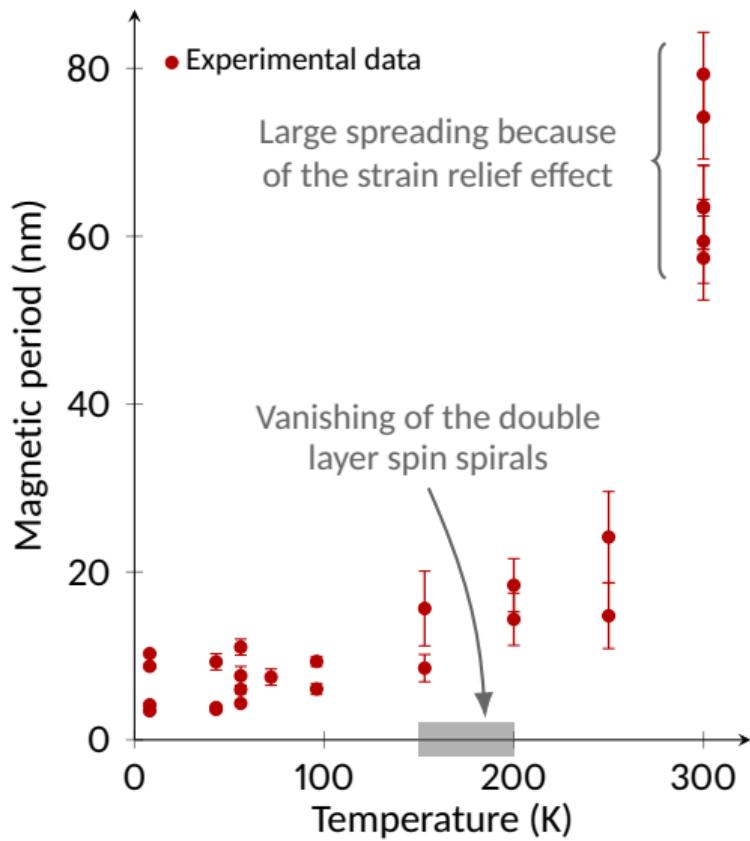
-700 mV, 1 nA, 0 T, Cr bulk tip

300 K

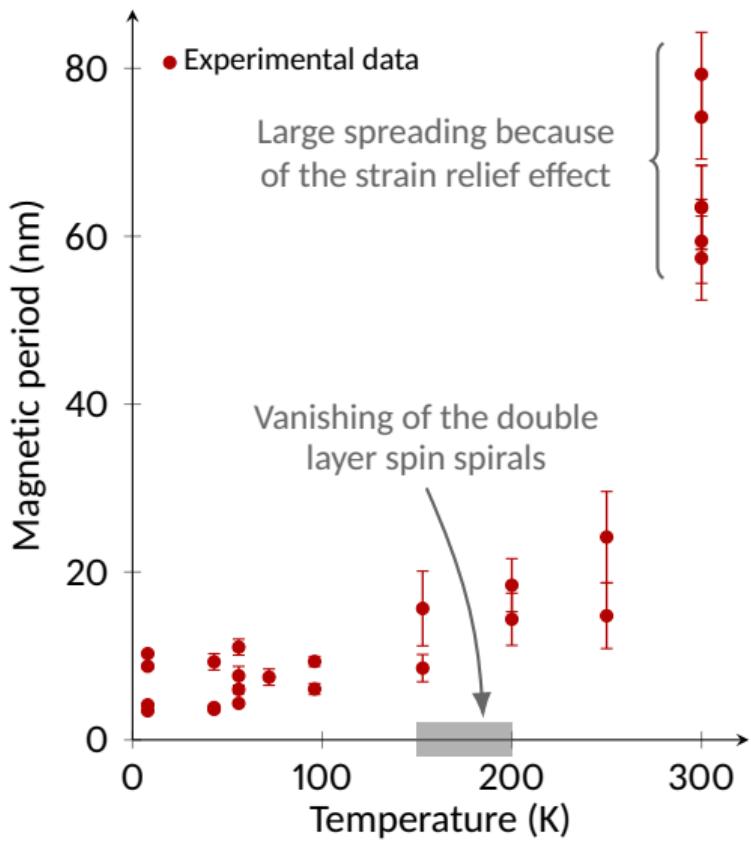


-500 mV, 3 nA, 0 T, Cr bulk tip

Temperature dependence of the spiral period

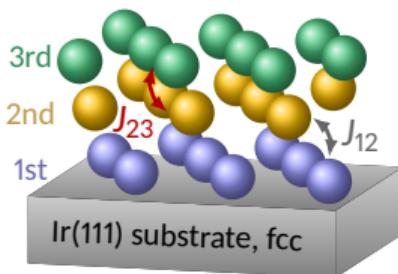


Temperature dependence of the spiral period



Model (developed by Levente Rózsa)

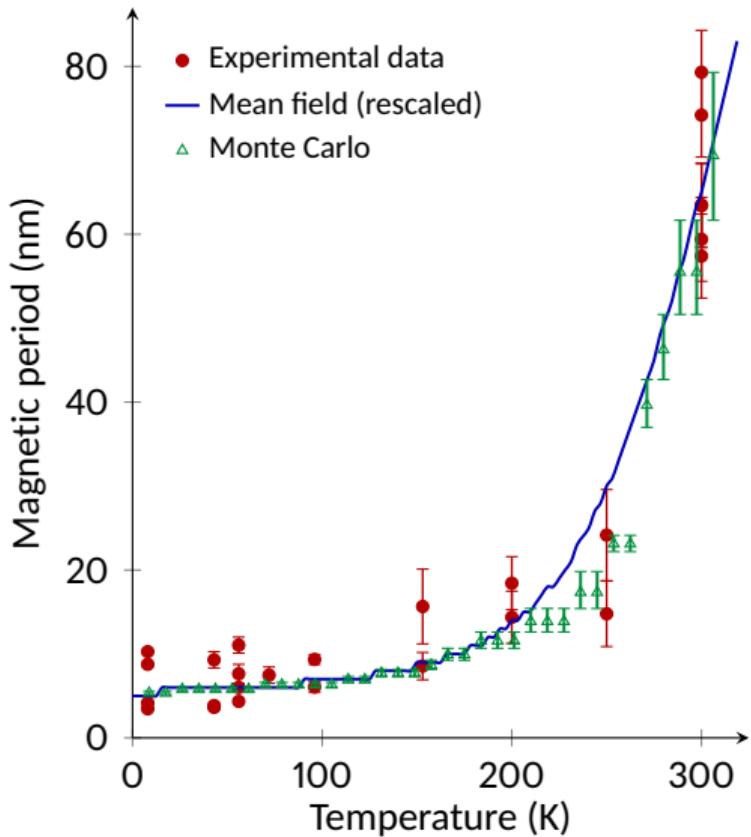
$$H = \frac{1}{2} \sum_{p,q,\langle i,j \rangle} J_{pq,ij} \vec{S}_{p,i} \cdot \vec{S}_{q,j} + \frac{1}{2} \sum_{p,\langle i,j \rangle} D_{pp,ij} \cdot (\vec{S}_{p,i} \times \vec{S}_{p,j})$$



- ▶ No effective anisotropy
- ▶ Different J and D in the 3 layers
- ▶ Interlayer exchange coupling

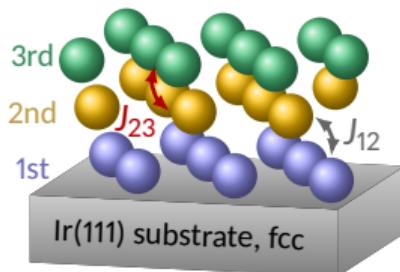
The thermal fluctuations have a stronger effect on the 1st and 2nd layers
→ the magnetic state is imposed by the third layer at elevated temperatures.

Temperature dependence of the spiral period



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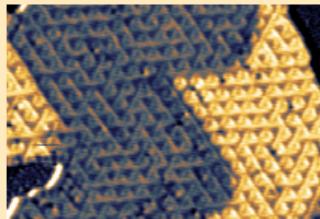


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Summary

Pinning at the bridge lines in Ni/Fe/Ir(111)

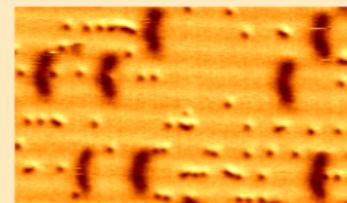
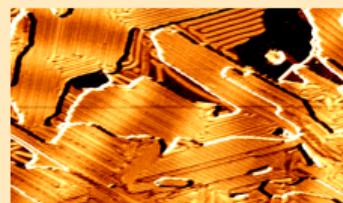
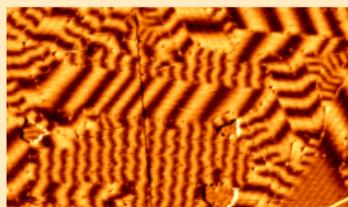


- ▶ Triangular pattern created by strain relief
- ▶ Domain walls following the long bridge lines

A.Finco, M. Perini *et al.*, in preparation

Tuning non-collinear magnetism in the Fe triple layer on Ir(111)

- ▶ Spin spiral period depending on epitaxial strain relief and temperature
- ▶ Skyrmions in external magnetic field, manipulated with electric field



A. Finco *et al.* *Phys. Rev. B* 94 (2016), 214402

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P.-J. Hsu, A. Finco *et al.* *Nat. Nanotechnol.* 12 (2017), 123–126